



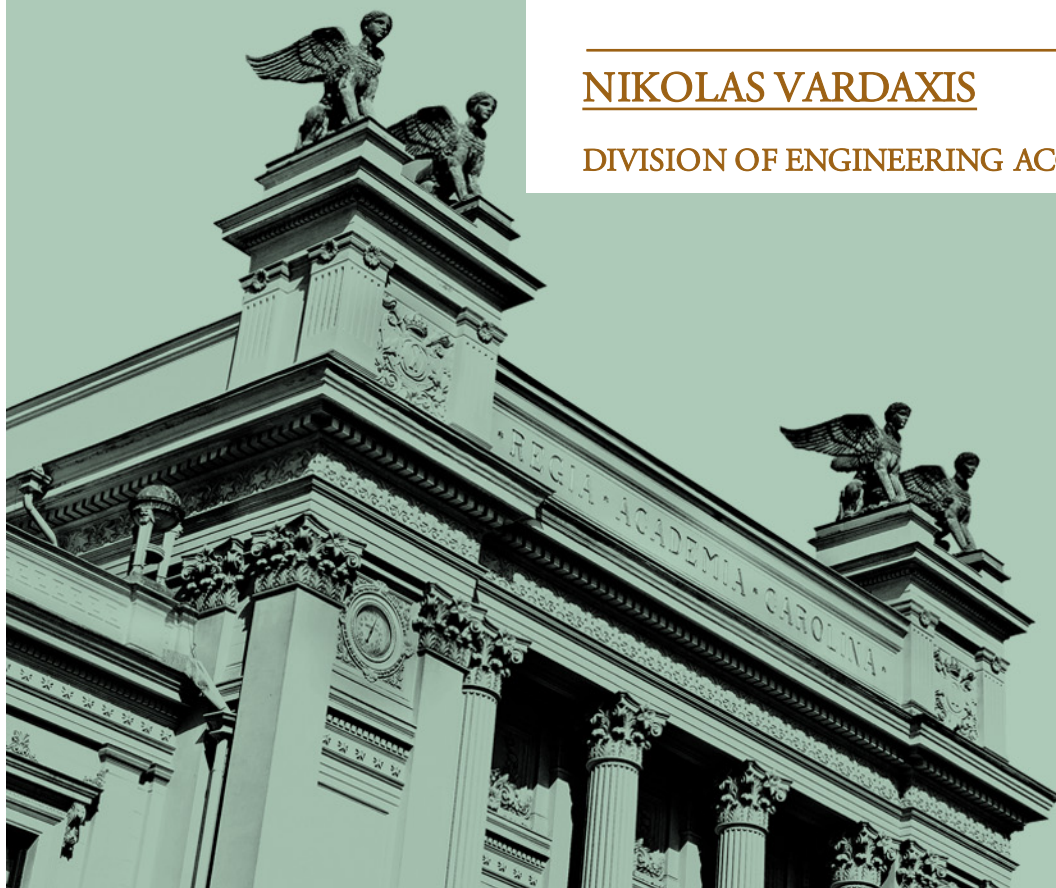
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Acoustics (VTAN01) —

Building Acoustics (2) Flanking Transmission

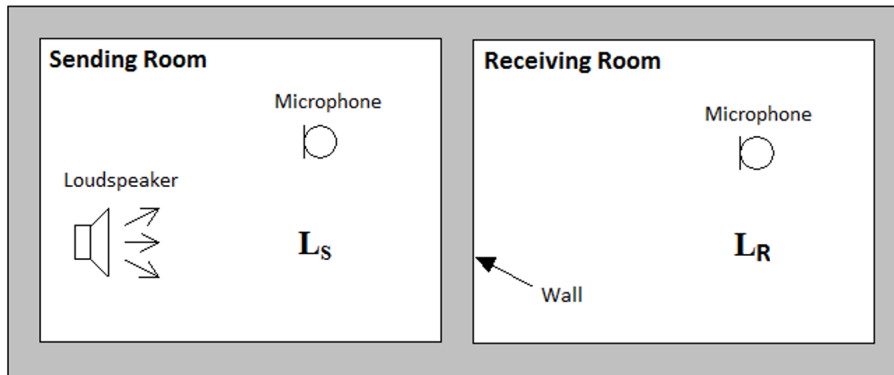
NIKOLAS VARDAXIS

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... recap from last lecture (I)

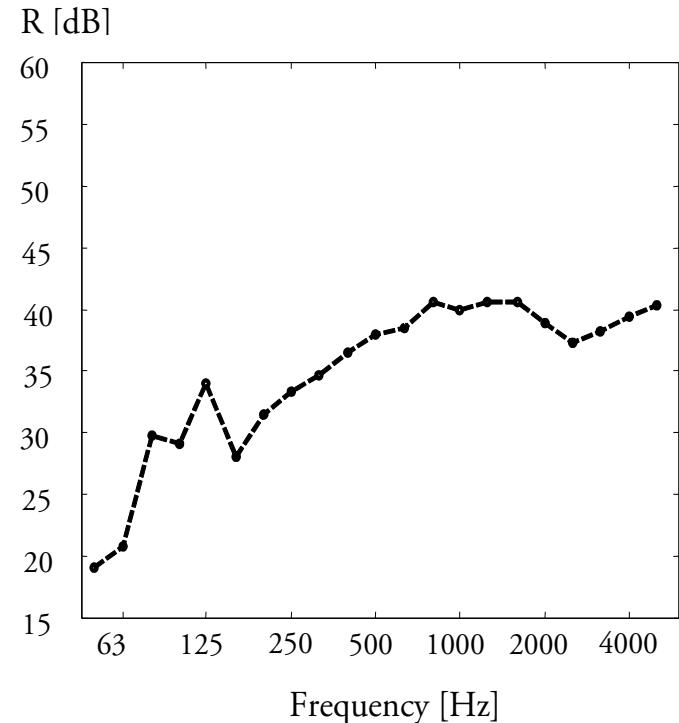
- Airborne sound insulation measurements (ISO standards)



$$R(f) = L_S(f) - L_R(f) + 10 \log \left(\frac{S}{A(f)} \right)$$

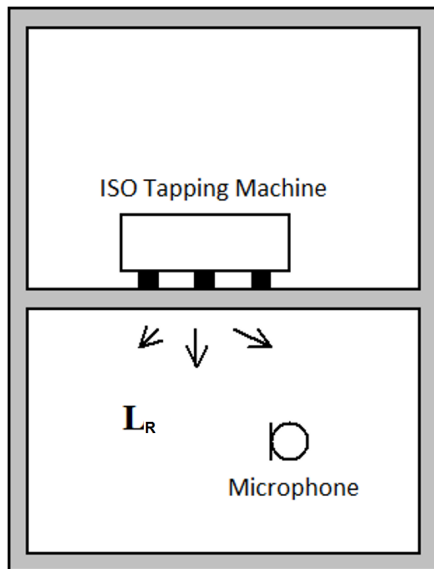
Statement of results:

- $R'_w(C_{50-3150}; C_{tr})$
- $R_w(C_{50-3150}; C_{tr})$

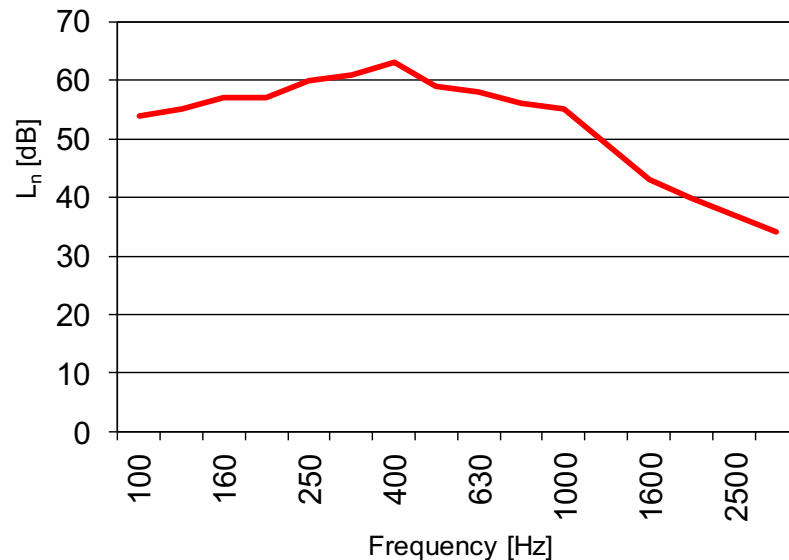


... recap from last lecture (II)

- Impact sound insulation measurements (ISO standards)



$$L_n(f) = L_R(f) + 10 \log \left(\frac{A(f)}{10} \right)$$



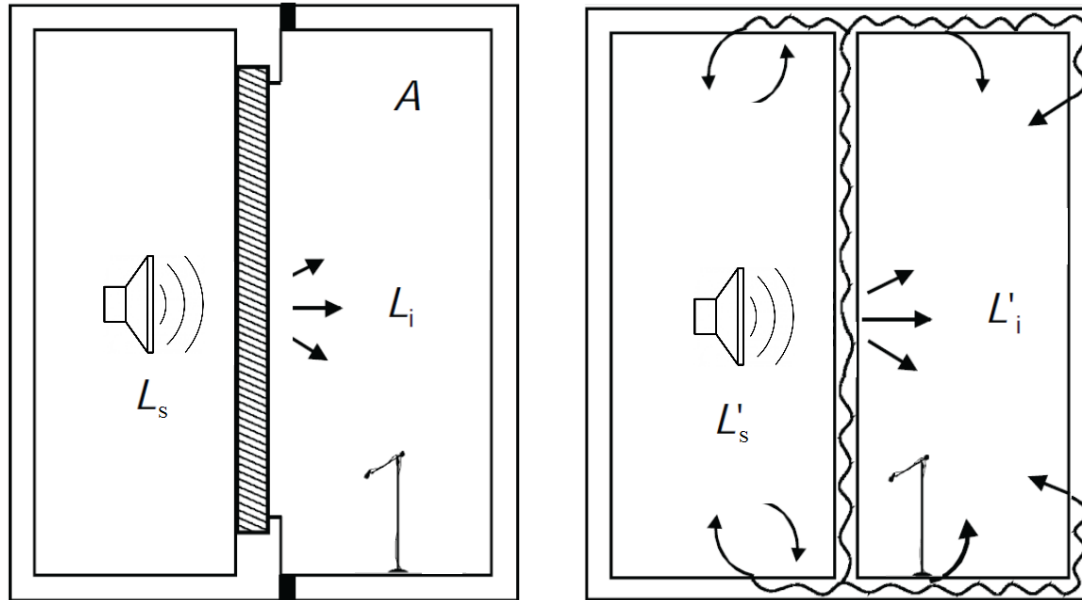
Statement of results:

- $L'_{nT,w}(C_{l,50-2500})$
- $L'_{n,w}(C_{l,50-2500})$
- $L_{n,w}(C_{l,50-2500})$



Remember...

... Laboratory vs. Field situation (flanking transmission comes into play)



ISO 717-1:2013
ISO 10140-2:2010

[REF] Vigran(2008)

ISO 717-1:2013
ISO 16283-1:2014

R_w

R'_w

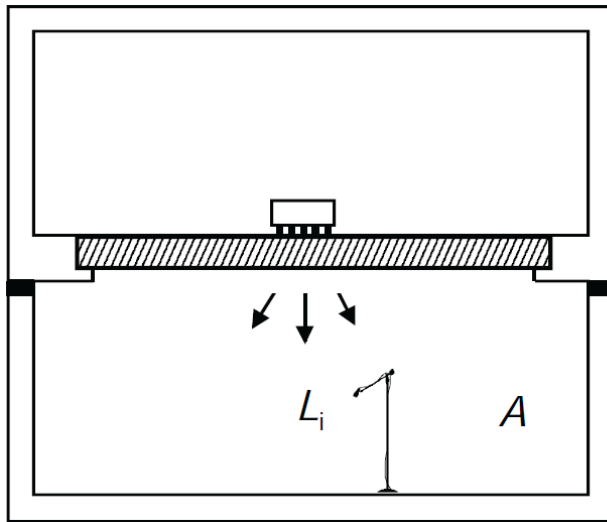
SS-EN12354-1:2000

Prediction of R'_w from the individual acoustic performances (R_w) of the elements involved in the junction, as sum of individual contributions



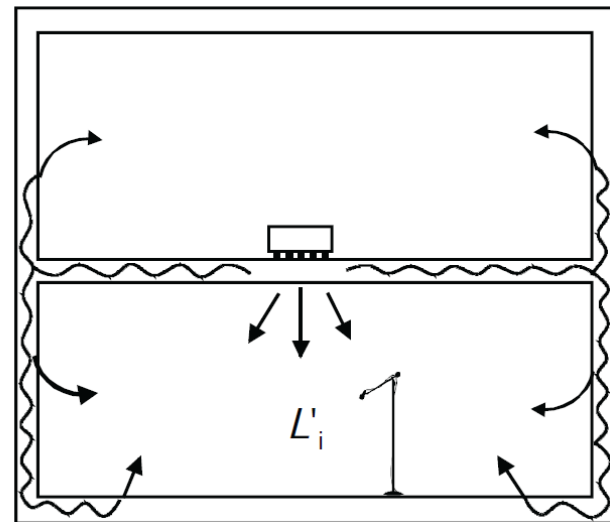
Remember...

... Laboratory vs. Field situation (flanking transmission comes into play)



ISO 717-2:2013
ISO 10140-3:2010

$L_{n,w}$



ISO 717-2:2013
ISO 16283-2:2014

$L'_{n,w}$

[REF] Vigran(2008)

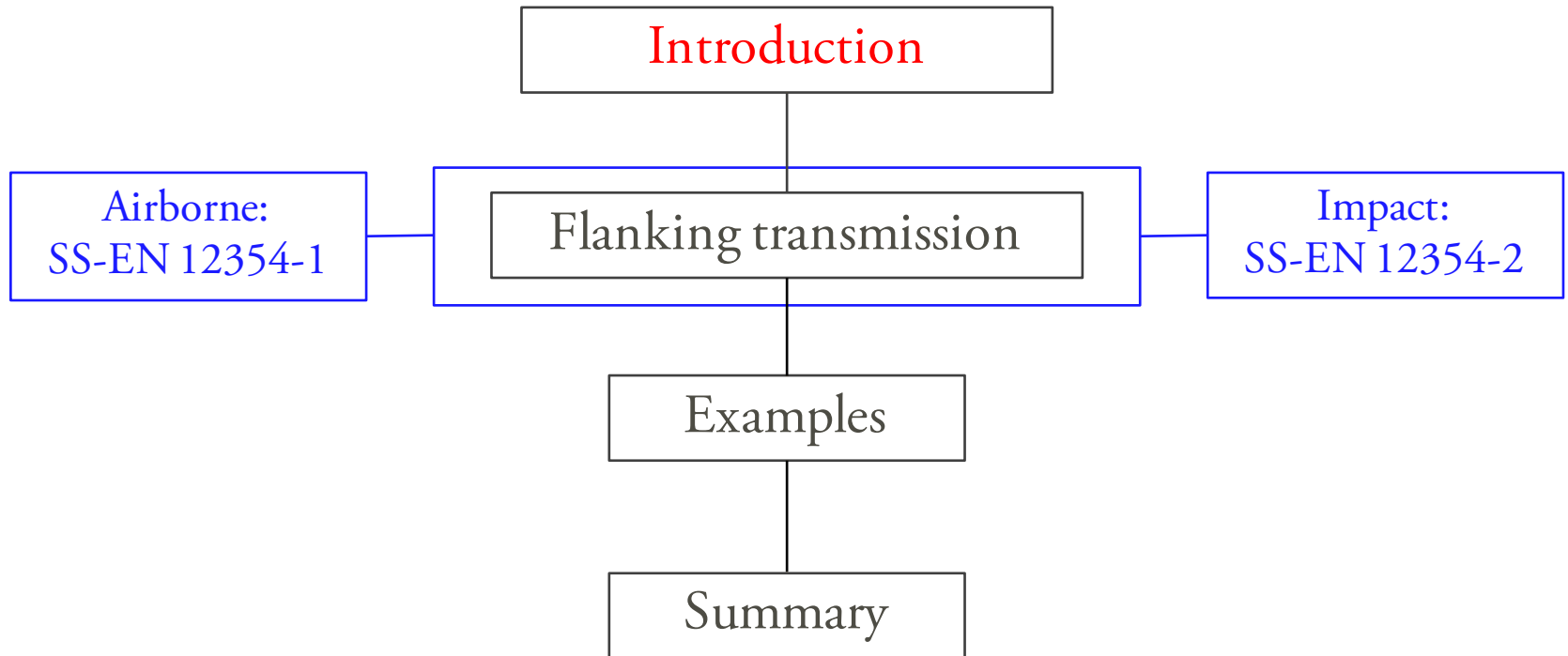
SS-EN12354-2:2000

Prediction of $L'_{n,w}$ from individual acoustic performances ($L_{n,w}$)



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Outline



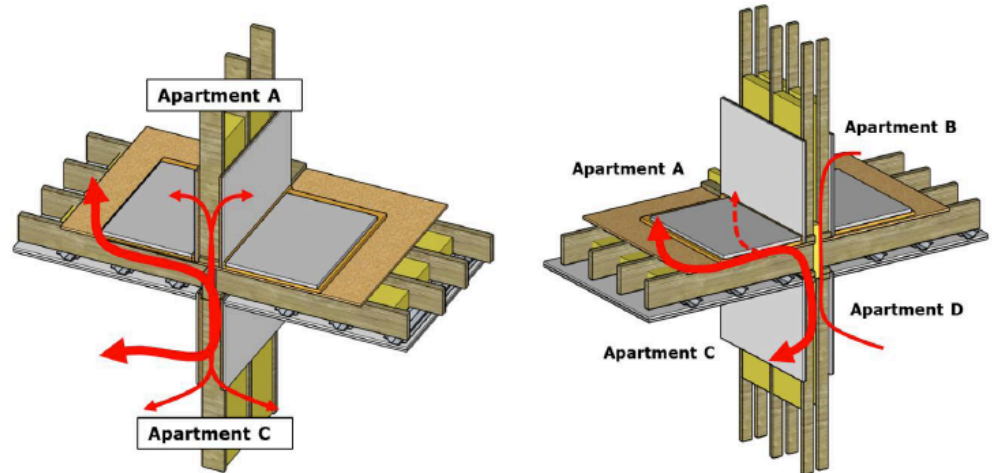
References: SS-EN 12354 series

- SS-EN12354-1:2000, Building Acoustics– Estimation of acoustic performance of buildings from the performance of elements – Part 1: Airborne sound insulation between rooms (2000).
- SS-EN12354-2:2000, Building Acoustics– Estimation of acoustic performance of buildings from the performance of elements – Part 2: Impact sound insulation between rooms (2000).
- SS-EN12354-3:2000, Building Acoustics– Estimation of acoustic performance of buildings from the performance of elements – Part 3: Airborne sound insulation against outdoor sound (2000).
- SS-EN12354-4:2000, Building Acoustics– Estimation of acoustic performance of buildings from the performance of elements – Part 4: Transmission of indoor sound to the outside (2000).
- SS-EN12354-5:2000, Building Acoustics– Estimation of acoustic performance of buildings from the performance of elements – Part 5: Sound levels due to service equipment (2000).
- SS-EN12354-3:2000, Building Acoustics– Estimation of acoustic performance of buildings from the performance of elements – Part 6: Sound absorption in enclosed spaces (2000).

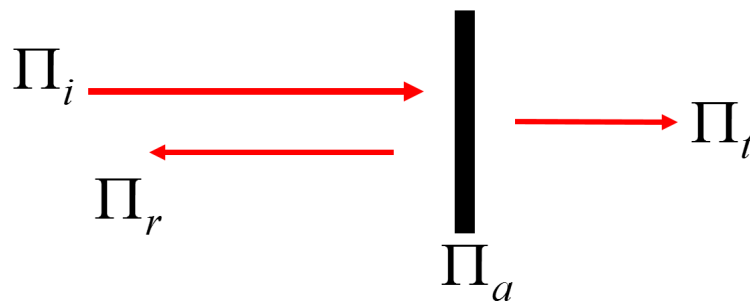


Introduction (I)

- Sound transmission
 - Airborne
 - Structure-borne
- Transmission paths
 - Direct transmission (D)
 - Flanking paths (F_i)
- Flanking: cause of problems related with acoustic comfort
 - Difference between lab and in-situ measurements ~ 4 dB
 - » Estimation methods described in SS-EN 12354:2000
 - Acoustic performance as sum of individual contributions



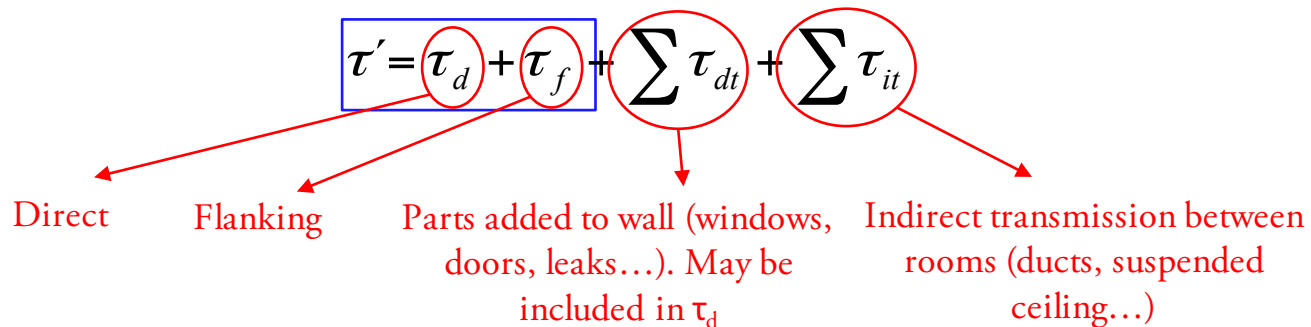
Introduction (II)



$$R \equiv 10 \cdot \log \left(\frac{\Pi_i}{\Pi_t} \right) = 10 \cdot \log \left(\frac{1}{\tau} \right) \quad [\text{dB}]$$

$$\tau = \Pi_t / \Pi_i$$

- Laboratory measurements \rightarrow good control \rightarrow “just” direct transmission
- In reality, more transmission paths

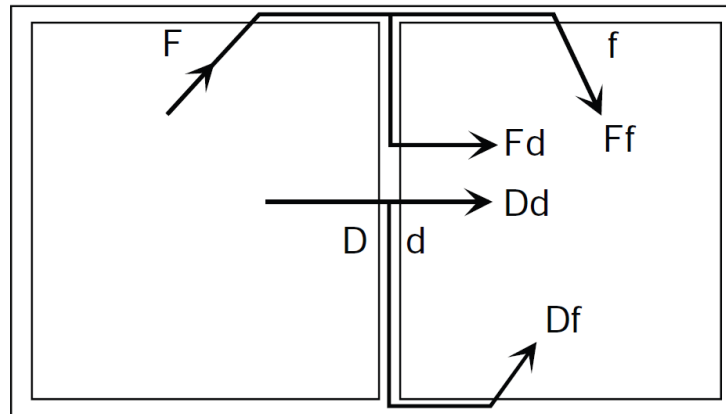


$$R' = 10 \cdot \log \left(\frac{1}{\tau'} \right) \quad [\text{dB}]$$



Introduction (III)

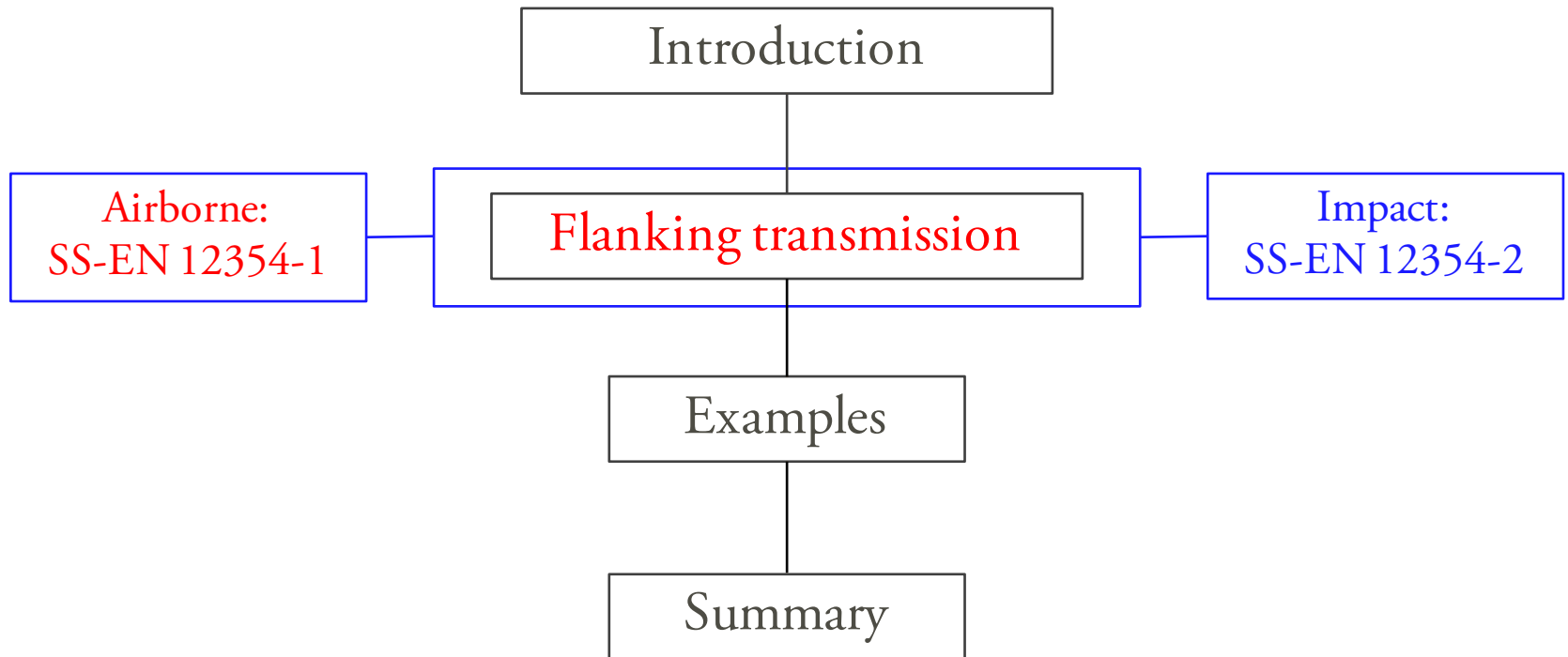
$$\tau' \approx \tau_d + \tau_f$$
$$\tau_d = \tau_{Dd} + \sum_n \tau_{Fd}$$
$$\tau_f = \sum_m \tau_{Df} + \sum_k \tau_{Ff}$$



NOTES: The sketch only indicates first-order paths; paths involving one element in the sending room, one junction or connection and one element in the receiving room. // The number of elements n , m and k are normally 4. // Main contributions are normally the Ff paths.



Outline



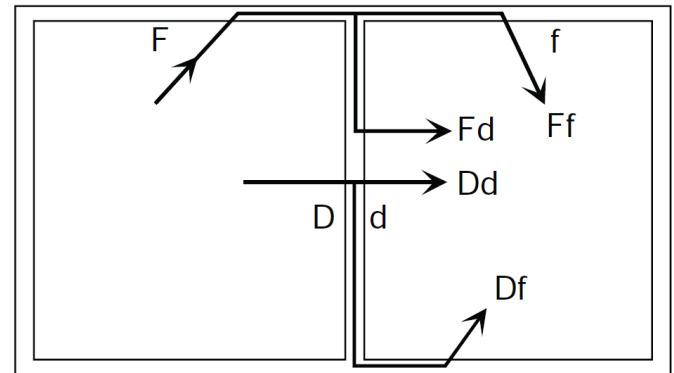
Flanking transmission reduction index (I)

- Apparent sound reduction index (13 paths)

$$R'_w = -10 \log \left[10^{\frac{-R_{Dd,w}}{10}} + \sum_{F=f=1}^n 10^{\frac{-R_{Ff,w}}{10}} + \sum_{f=1}^n 10^{\frac{-R_{Df,w}}{10}} + \sum_{F=1}^n 10^{\frac{-R_{Fd,w}}{10}} \right]$$

- If only Ff paths are assumed:

$$R'_w = -10 \log \left[10^{\frac{-R_{d,w}}{10}} + \sum 10^{\frac{-R_{f,w}}{10}} \right]$$

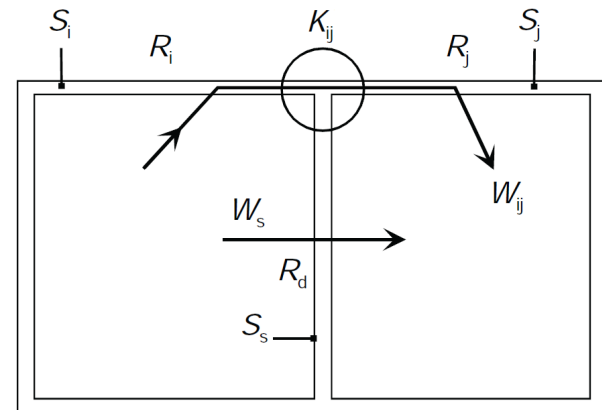


Flanking transmission reduction index (II)

- Flanking sound reduction index R_{ij} (approximation given in the standard SS-EN 12354-1)

$$(R_f)_{ij,w} = R_{ij,w} = \frac{R_{i,w} + R_{j,w}}{2} + K_{ij} + 10 \log \left(\frac{S_s}{l_0 \cdot l_{ij}} \right)$$

R_i & R_j : sound reduction index of flanking element i and j
 K_{ij} : vibration reduction index (junction dependent)
 S_s : floor / wall surface
 $l_0 = 1\text{m}$
 l_{ij} : junction common length



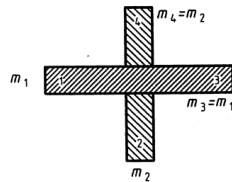
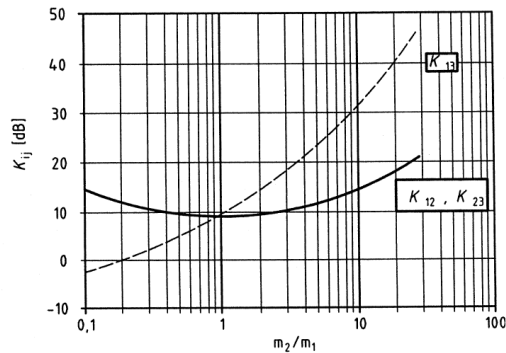
NOTES: K_{ij} is related to the vibrational power transmission over a junction between structural elements under diffuse field conditions, normalised in order to make it an invariant quantity (independent of the energy losses). This quantity can be taken from Annex E of SS-EN 12354-1. // An additional term $+\Delta R_{ij}$ would be added to the right hand side of the equation to account for improvement of sound reduction due to additional linings (here is omitted).



Flanking transmission reduction index (III)

- Vibration reduction indices K_{ij}
– SS-EN 12354-1:2000 (Annex E)

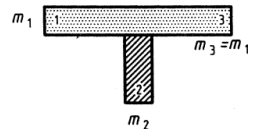
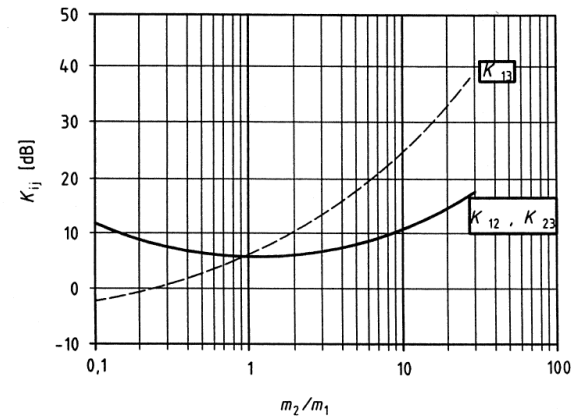
Rigid cross-junction



$$K_{13} = 8,7 + 17,1 M + 5,7 M^2 \text{ dB ; 0 dB / octave}$$

$$K_{12} = 8,7 + 5,7 M^2 (= K_{23}) \text{ dB ; 0 dB / octave}$$

Rigid T-junction



$$K_{13} = 5,7 + 14,1 M + 5,7 M^2 \text{ dB ; 0 dB / octave}$$

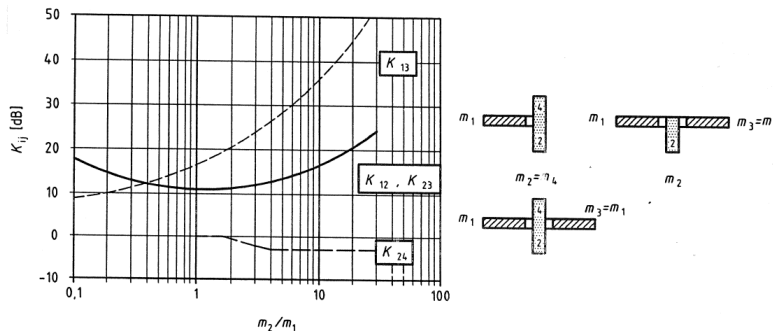
$$K_{12} = 5,7 + 5,7 M^2 (= K_{23}) \text{ dB ; 0 dB / octave}$$



Flanking transmission reduction index (IV)

- Vibration reduction indices K_{ij}
– SS-EN 12354-1:2000 (Annex E)

Wall junction with flexible interlayers



$$K_{13} = 5,7 + 14,1 M + 5,7 M^2 + 2 \Delta_1 \quad \text{dB}$$

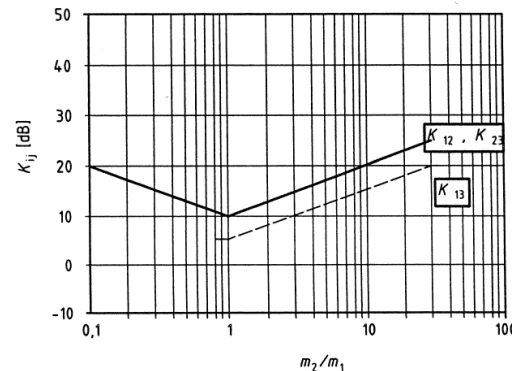
$$K_{24} = 3,7 + 14,1 M + 5,7 M^2 \text{ dB}; 0 \leq K_{24} \leq -4 \quad \text{dB}; 0 \text{ dB / octave}$$

$$K_{12} = 5,7 + 5,7 M^2 + \Delta_1 (= K_{23}) \quad \text{dB}$$

$$\Delta_1 = 10 \lg \frac{f}{f_1} \text{ dB for } f > f_1$$

$$f_1 = 125 \text{ Hz if } \frac{E_1}{t_1} \approx 100 \text{ MN/m}^3; \text{ see text}$$

Lightweight façade junction



$$K_{13} = 5 + 10 M \text{ dB and minimum 5 dB}; 0 \text{ dB / octave}$$

$$K_{12} = 10 + 10 |M| (= K_{23}) \text{ dB}; 0 \text{ dB / octave}$$

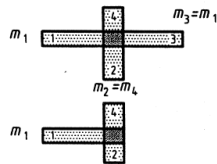
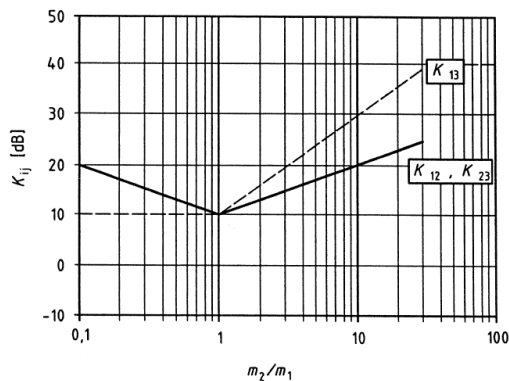
$$a_{\text{facade, situ}} = S_{\text{facade}} / I_0$$



Flanking transmission reduction index (V)

- Vibration reduction indices K_{ij}
– SS-EN 12354-1:2000 (Annex E)

Junction of lightweight coupled double leaf walls

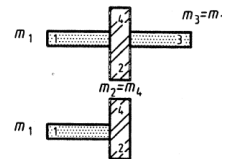
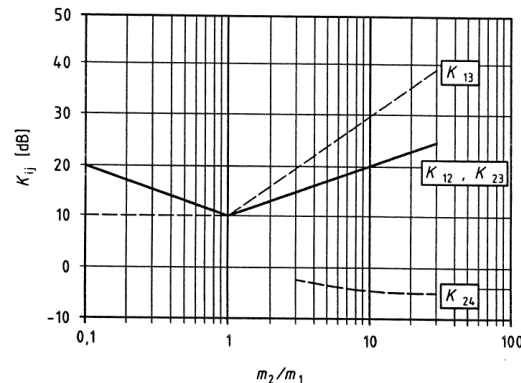


$$K_{13} = 10 + 20 M - 3,3 \lg \frac{f}{f_k} \text{ dB and minimum 10 dB}$$

$$K_{12} = 10 + 10 |M| - 3,3 \lg \frac{f}{f_k} \text{ dB } (= K_{23})$$

$$f_k = 500 \text{ Hz } a_{\text{situ}} = S/l_o$$

Junction of lightweight double leaf wall and homogeneous elements



$$K_{13} = 10 + 20 M - 3,3 \lg \frac{f}{f_k} \text{ dB and minimum 10 dB}$$

$$K_{24} = 3,0 - 14,1 M + 5,7 M^2 \text{ dB ; } \frac{m_2}{m_1} > 3 ; 0 \text{ dB / octave}$$

$$K_{12} = 10 + 10 |M| + 3,3 \lg \frac{f}{f_k} \text{ dB } (= K_{23})$$

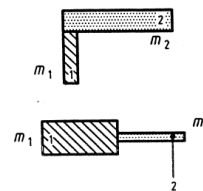
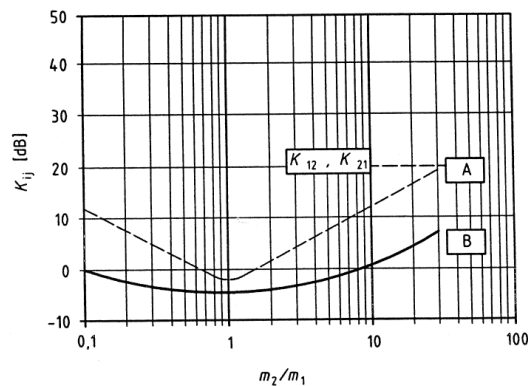
$$f_k = 500 \text{ Hz } a_{\text{lightweight wall, situ}} = S_{\text{lightweight wall}} / l_o$$



Flanking transmission reduction index (VI)

- Vibration reduction indices K_{ij}
 - SS-EN 12354-1:2000 (Annex E)

Corner or thickness change



A Corner :

$$K_{12} = 15 |M| - 3 \text{ dB and minimum } -2 \text{ dB } (= K_{21}) ; 0 \text{ dB / octave}$$

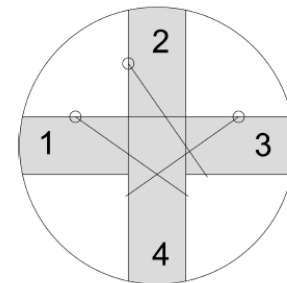
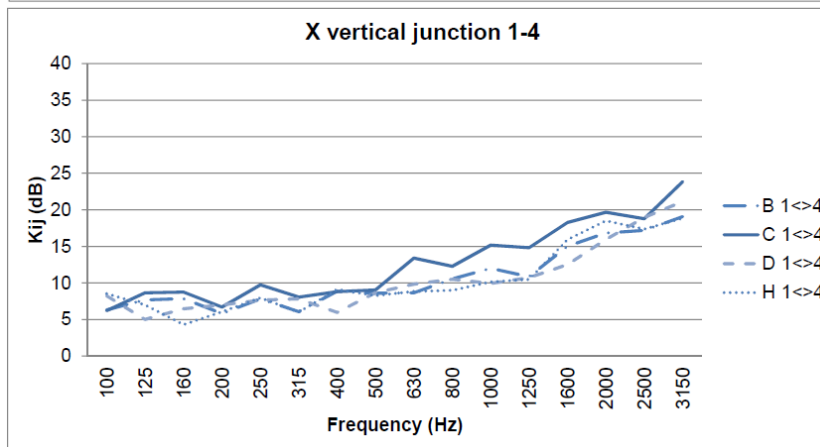
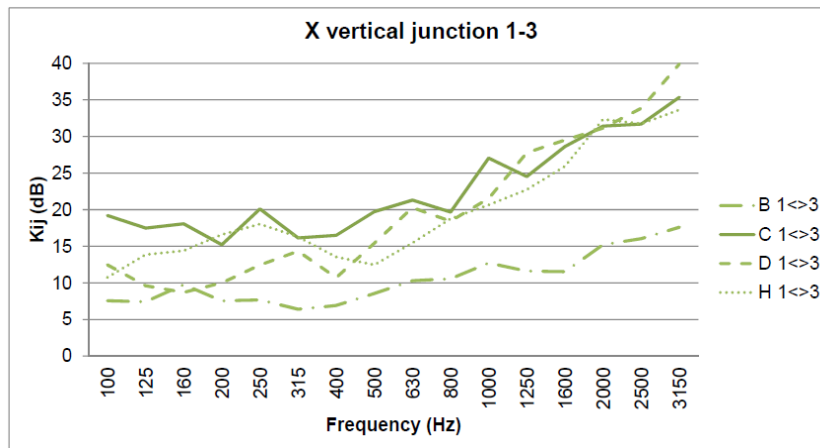
B Change :

$$K_{12} = 5 M^2 - 5 \text{ dB } (= K_{21}) ; 0 \text{ dB / octave}$$



Other experimental K_{ij}

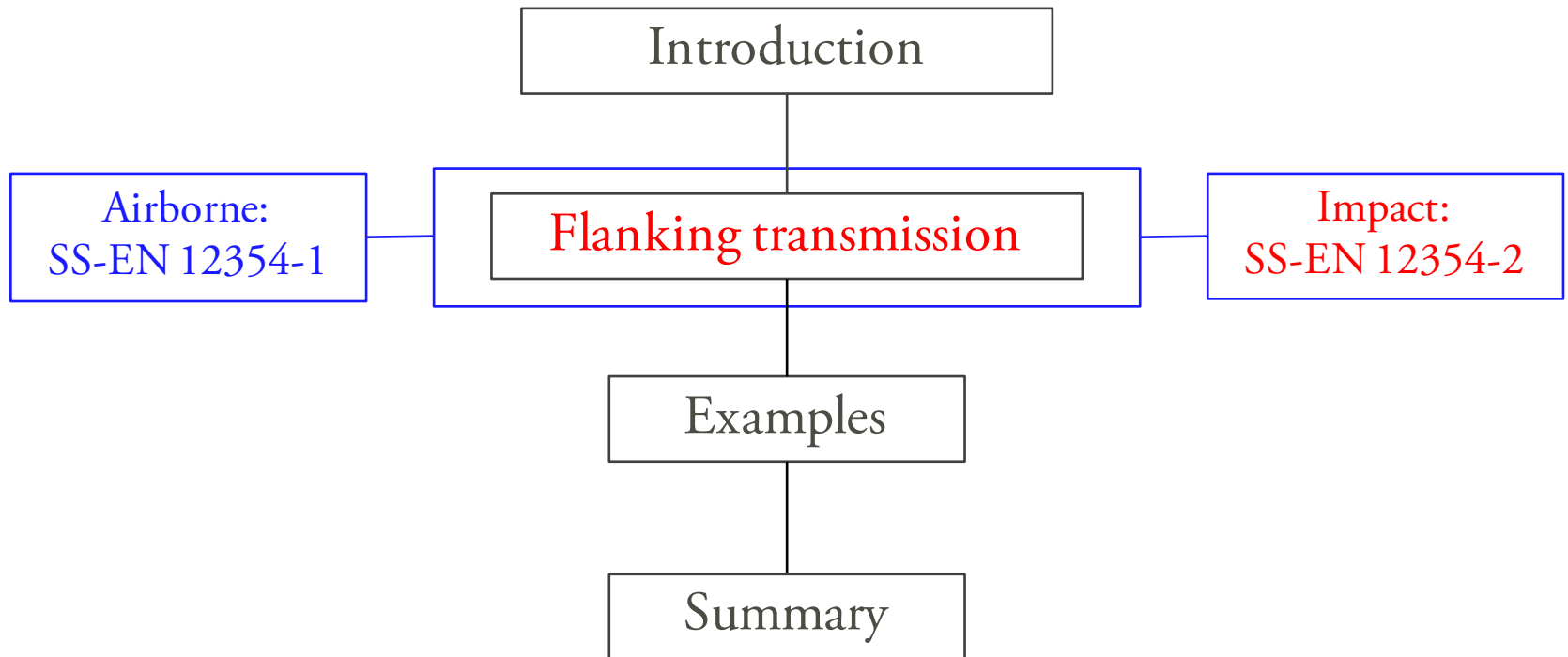
- “X” CLT junction (example)
 - 4 configurations



Source: Barbaresi (2016)



Outline



Impact sound with flanking transmission (I)

- Impact sound pressure level in the receiving room

$$L'_n = 10 \log \left[10^{\frac{L_{n,d}}{10}} + \sum_{j=1}^n 10^{\frac{L_{n,j}}{10}} \right]$$

- If the SS-EN 12354-1 simplified model is assumed, the weighted normalised impact sound pressure level is:

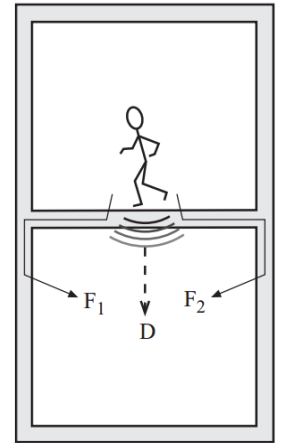
$$L'_{n,w} = L_{n,w,eq} - \Delta L_w + K$$

$$L_{n,w,eq} = 164 - 35 \log \left(\frac{m'}{m_0'} \right)$$

$$m_0' = 1 \text{ kg} / \text{m}^2$$

$L_{n,w,eq}$: equivalent weighted normalised impact sound pressure level of the floor base (Annex B)

ΔL_w : weighted reduction of impact sound pressure level of the floor covering (obtained according to EN ISO 717-2:1996) and given in Figures in the Standard.



NOTES: K is the correction for impact sound transmission over the homogeneous flanking constructions in decibels, and it is given in a tabular form in the standard. // Limitations: the simplified model is only applied to homogeneous building constructions with floating floors or soft coverings on a homogeneous constructions, and only for rooms one above each other which are of conventional sizes in dwellings.



Impact sound with flanking transmission (II)

Table 1 - Correction K for flanking transmission in decibels

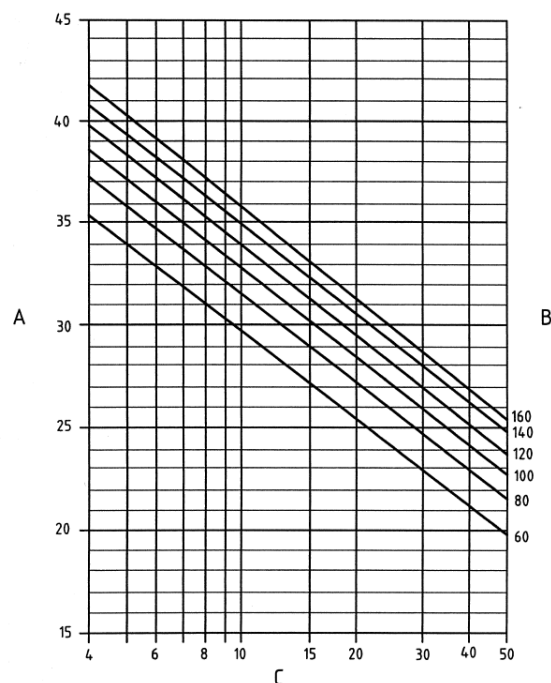
Mass per unit area of the separating element (floor) in kg/m^2	Mean mass per unit area of the homogeneous flanking elements not covered with additional layers in kg/m^2								
	100	150	200	250	300	350	400	450	500
100	1	0	0	0	0	0	0	0	0
150	1	1	0	0	0	0	0	0	0
200	2	1	1	0	0	0	0	0	0
250	2	1	1	1	0	0	0	0	0
300	3	2	1	1	1	0	0	0	0
350	3	2	1	1	1	1	0	0	0
400	4	2	2	1	1	1	1	0	0
450	4	3	2	2	1	1	1	1	1
500	4	3	2	2	1	1	1	1	1
600	5	4	3	2	2	1	1	1	1
700	5	4	3	3	2	2	1	1	1
800	6	4	4	3	2	2	2	1	1
900	6	5	4	3	3	2	2	2	2

If one or more massive flanking constructions are covered by additional layers (wall lining) with a resonant frequency $f_0 < 125$ Hz according to D.2 of EN 12354-1 : 2000 the surface masses of the covered elements are not considered in the calculation of the mean mass value.

NOTE In principle a correction term K to express the contribution of flanking transmission could also be derived for other room configurations than rooms above each other.



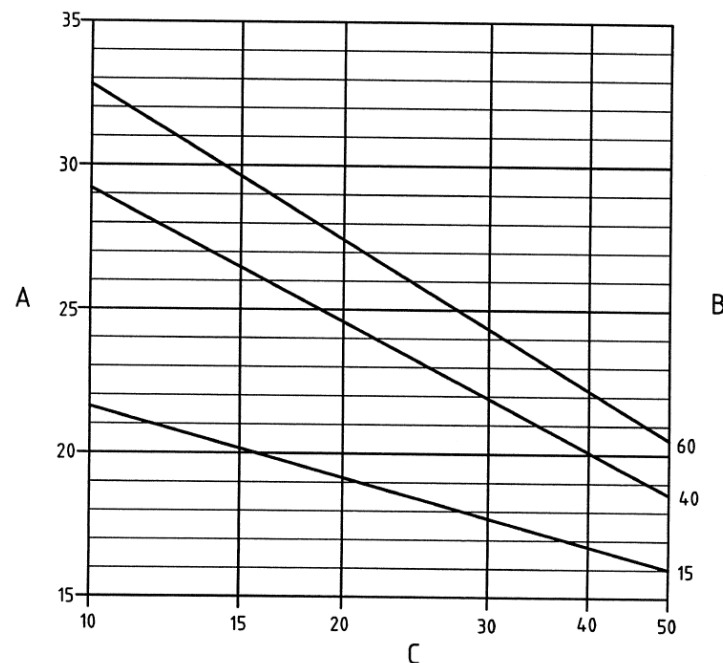
Impact sound with flanking transmission (III)



Legend

- A Weighted impact sound reduction index ΔL_w in dB
- B Mass per unit area of the floating floor in kgm^{-2}
- C Dynamic stiffness per unit area s' of the resilient layer in MNm^{-3}

Figure C.1 - Weighted reduction of impact sound pressure level for floating floor screeds made of sand/cement or calcium-sulphate



Legend

- A Weighted impact sound reduction index ΔL_w in dB
- B Mass per unit area of the floating floor in kgm^{-2}
- C Dynamic stiffness per unit area s' of the resilient layer in MNm^{-3}

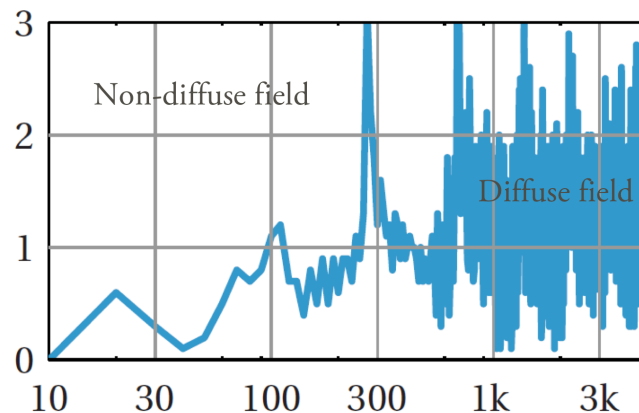
Figure C.2 - Weighted reduction of impact sound pressure level for asphalt floating floors or dry floating floor constructions

NOTES: The weighted reduction of impact sound pressure level ΔL_w depends on the mass per unit area m' of the floating floor and the dynamic stiffness per unit area s' of the resilient layer according to EN 29052-1



Some comments about SS-EN 12354:2000

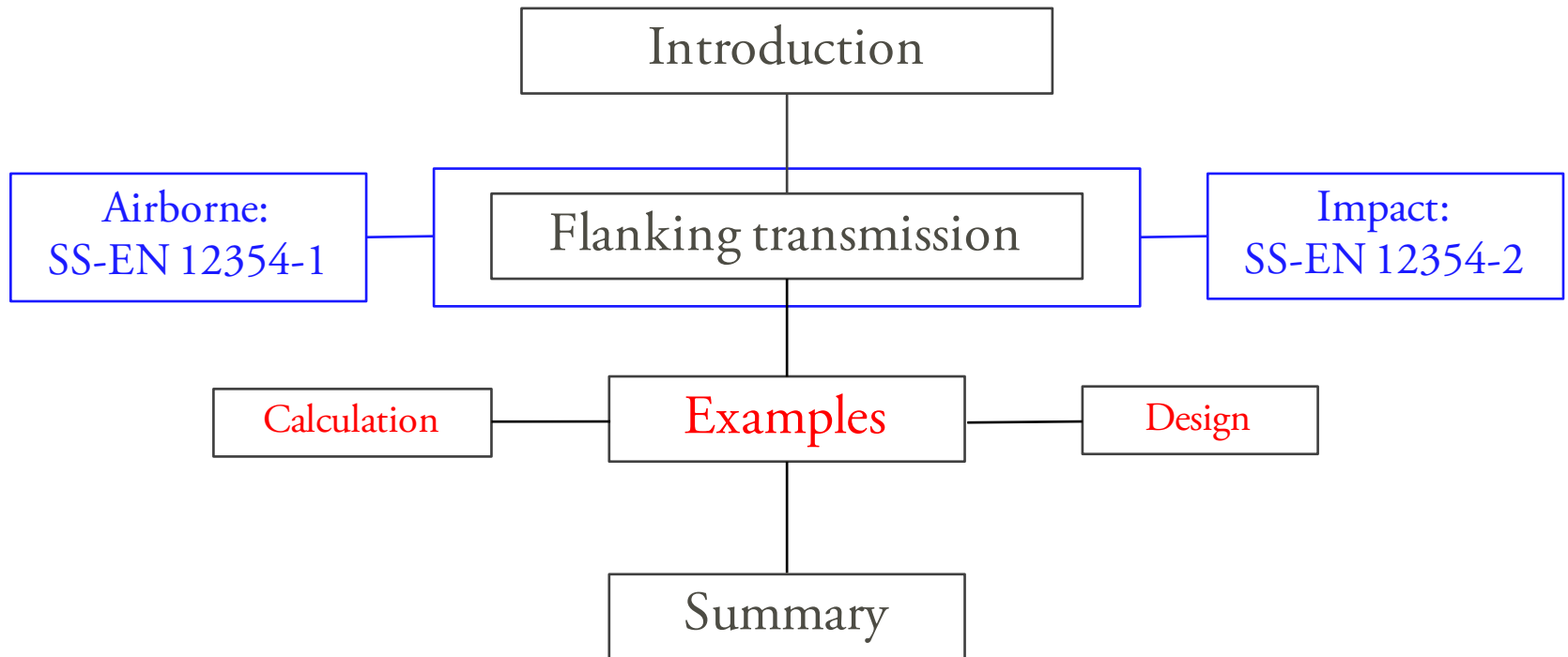
- The standard describes a simplified statistical energy analysis (SEA) model to predict R'_w and $L'_{n,w}$
 - Lightweight elements typically don't meet the requirements of an SEA subsystem:
 - » Vibratory fields show large variances (lack of diffuseness)
 - » Low modal density at low frequencies
 - » ...



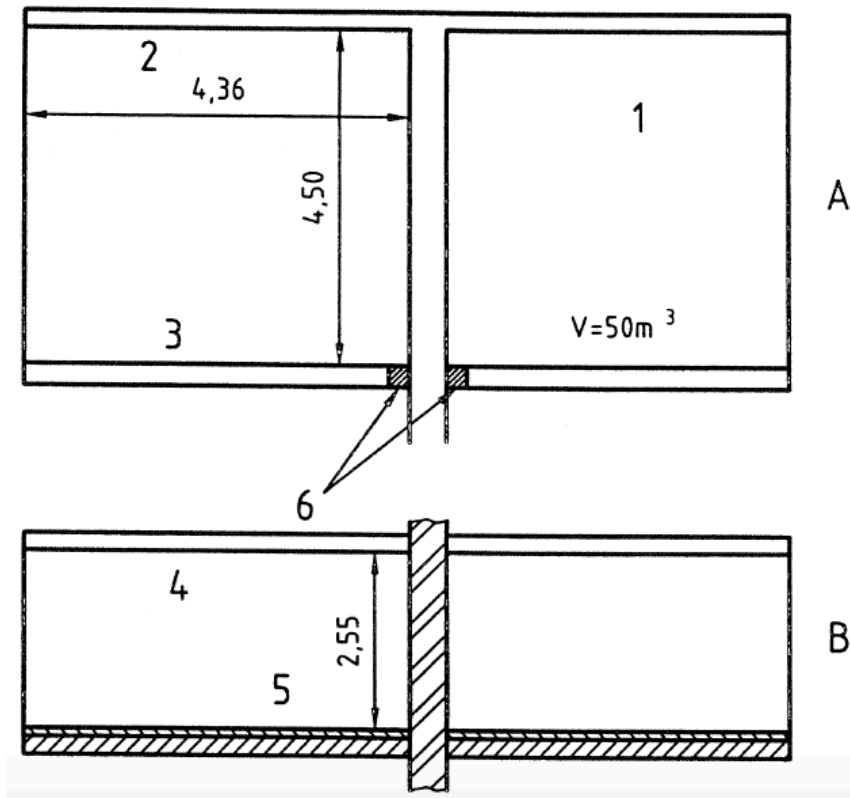
- The latter may result in inaccurate predictions when using SS-EN 12354:2000 applied to wooden lightweight constructions



Outline



Calculation example 1 (SS-EN 12354-1:2000)



Key

- A Ground plan
- B Sectional view

Separating element :

1 wall $4,50\text{ m} \times 2,55\text{ m} = 11,5\text{ m}^2$; 200 mm concrete, 460 kg/m^2 .

Flanking elements (identical on both sides) :

- 2 Façade : $4,36\text{ m} \times 2,55\text{ m} = 11,1\text{ m}^2$; rigid T junction ;
100 mm calcium-silicate blocks, 175 kg/m^2 .
- 3 Internal wall : $4,36\text{ m} \times 2,55\text{ m} = 11,1\text{ m}^2$; cross junction with elastic layer ;
70 mm gypsum blocks, 67 kg/m^2 .
- 4 Ceiling : $4,36\text{ m} \times 4,50\text{ m} = 19,6\text{ m}^2$; rigid cross junction ;
100 mm concrete, 230 kg/m^2 .
- 5 Floor : $4,36\text{ m} \times 4,50\text{ m} = 19,6\text{ m}^2$; rigid cross junction ;
100 mm concrete / 30 mm finish, 287 kg/m^2 .
- 6 flexible connection



Calculation example 1 (SS-EN 12354-1:2000)

- Data:

INPUT DATA :	ELEMENTS	JUNCTIONS				
	m' (kg/m ²)	R_w (dB) Annex B	m'_s/m'_f	K_{Ff} (dB)	K_{Fd} (dB)	K_{Df} (dB)
					Annex E	
Wall (s)	460	57				
Floor (F = f = 1)	287	49	1,61	12,4	8,9	8,9
Ceiling (F = f = 2)	230	46	2,00	14,4	9,2	9,2
Façade (F = f = 3)	175	42	2,63	12,6	6,7	6,7
Internal wall (F = f = 4)	67	33	6,97	33,5	15,7	15,7

- Solution:

Wall :

$$R_{Dd} = 57,0 \text{ dB}$$

$$R_{1d} = 49/2 + 57/2 + 8,9 + 4,1 = 66,0 \text{ dB}$$

$$R_{2d} = 46/2 + 57/2 + 9,2 + 4,1 = 64,8 \text{ dB}$$

$$R_{3d} = 42/2 + 57/2 + 6,7 + 6,5 = 62,7 \text{ dB}$$

$$R_{4d} = 33/2 + 57/2 + 15,7 + 6,5 = 67,2 \text{ dB}$$

Floor :

$$R_{D1} = 49/2 + 57/2 + 8,9 + 4,1 = 66,0 \text{ dB}$$

$$R_{11} = 49 + 12,4 + 4,1 = 65,5 \text{ dB}$$

Ceiling :

$$R_{D2} = 46/2 + 57/2 + 9,2 + 4,1 = 64,8 \text{ dB}$$

$$R_{22} = 46 + 14,4 + 4,1 = 64,5 \text{ dB}$$

Façade :

$$R_{D3} = 42/2 + 57/2 + 6,7 + 6,5 = 62,7 \text{ dB}$$

$$R_{33} = 42 + 12,6 + 6,5 = 61,1 \text{ dB}$$

Internal wall :

$$R_{D4} = 33/2 + 57/2 + 15,7 + 6,5 = 67,2 \text{ dB}$$

$$R_{44} = 33 + 33,5 + 6,5 = 73,0 \text{ dB}$$

$$\text{Total (equation (26)) } R'_w = 52,2 \approx 52 \text{ dB}$$



Calculation example 2 (SS-EN 12354-2:2000)

- Task:

The impact sound pressure level L'_n between two dwellings is to be calculated for two rooms above each other, separated by a concrete floor slab covered with a floating floor. The volumes of the rooms are 50 m^3 , the other construction details are given below.

Separating element :

floor $S_i = 5,00 \text{ m} \times 4,00 \text{ m} = 20,0 \text{ m}^2$;
140 mm concrete, $m' = 0,14 \text{ m} \times 2300 \text{ kg/m}^3 = 322 \text{ kg/m}^2$;
floating floor : 35 mm concrete on 20 mm mineral wool slab with $s' = 8 \text{ MN/m}^3$.

Flanking elements (identical on both sides) :

internal walls $S_j = 5,00 \text{ m} \times 2,50 \text{ m} = 12,5 \text{ m}^2$; rigid cross junction ;
120 mm aerated concrete, $m' = 0,12 \text{ m} \times 800 \text{ kg/m}^3 = 96 \text{ kg/m}^2$;
external walls $S_j = 4,00 \text{ m} \times 2,50 \text{ m} = 10,0 \text{ m}^2$; rigid T junction ;
100 mm brickwork, $m' = 0,1 \text{ m} \times 1900 \text{ kg/m}^3 = 190 \text{ kg/m}^2$.



Calculation example 2 (SS-EN 12354-2:2000)

- Solution:

- equivalent weighted normalized impact sound pressure level of the concrete floor slab : from annex B :

$$\begin{aligned} L_{n,w,eq} &= 164 - 35 \lg(m'/m'_0) \text{ with } m'_0 = 1 \text{ kg/m}^2 \\ &= 164 - 35 \lg(322/1) = 76,2 \text{ dB} \approx 76 \text{ dB} \end{aligned}$$

- weighted impact sound improvement index of the floating floor :

with the dynamic stiffness per unit area $s' = 8 \text{ MN/m}^3$ of the mineral wool slab and the mass per unit area $m' = 80 \text{ kg/m}^2$ of the floor screed follows from Figure C.1 :

$$\Delta L_w = 33 \text{ dB}$$

- correction K for flanking transmission :

mean surface mass of the homogeneous flanking elements, not covered with resilient layers, $m' = 0,25 [(2 \times 190) + (2 \times 96)] \text{ kg/m}^2 = 145 \text{ kg/m}^2$; so from Table 1 :

$$K = 2 \text{ dB}$$

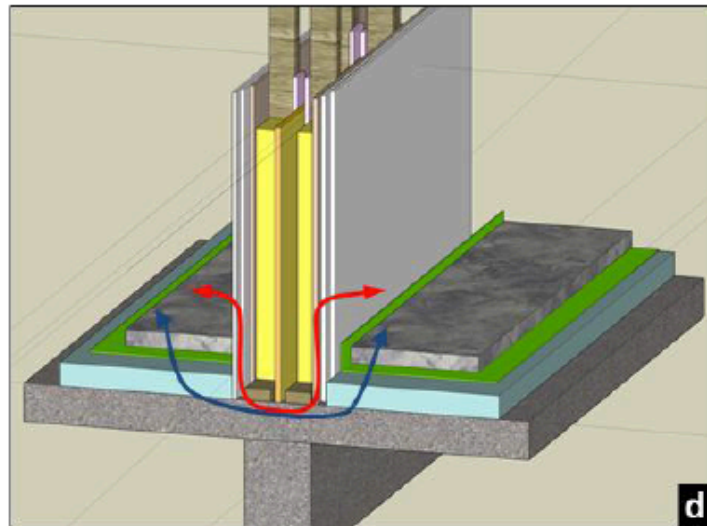
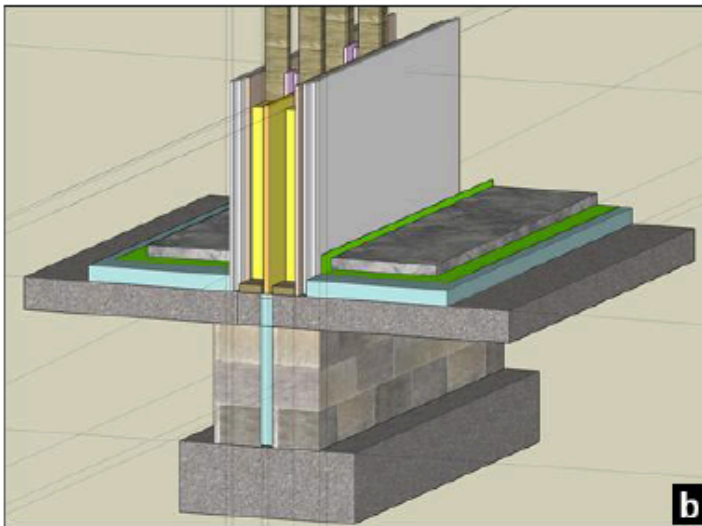
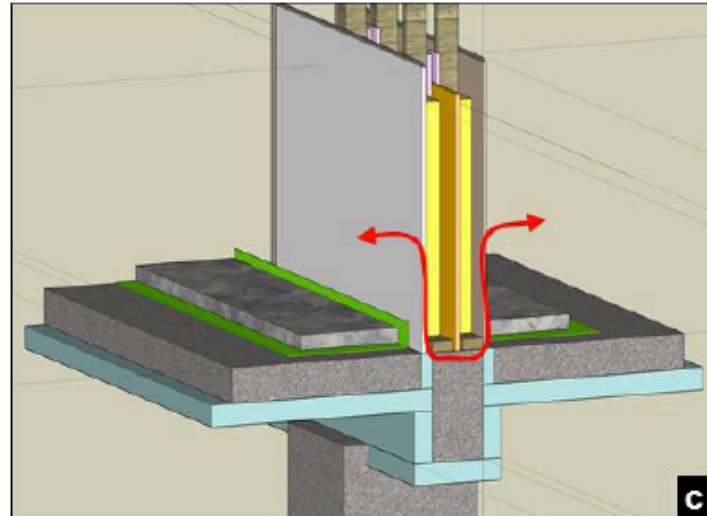
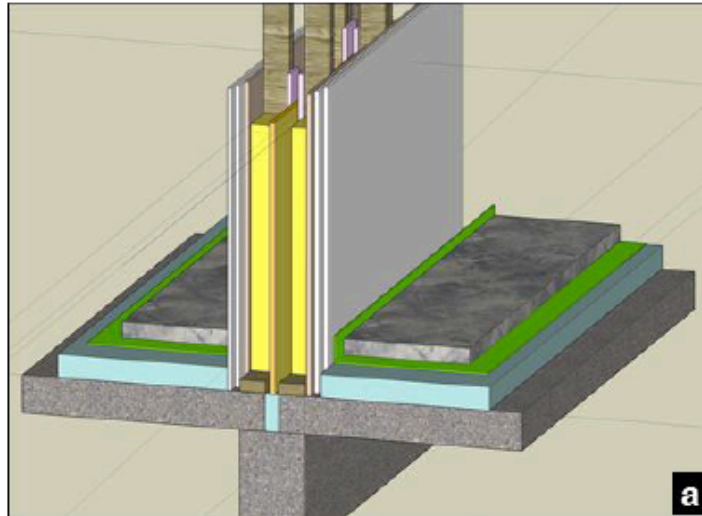
- weighted normalized impact sound pressure level between the two rooms :

from equation (21) :

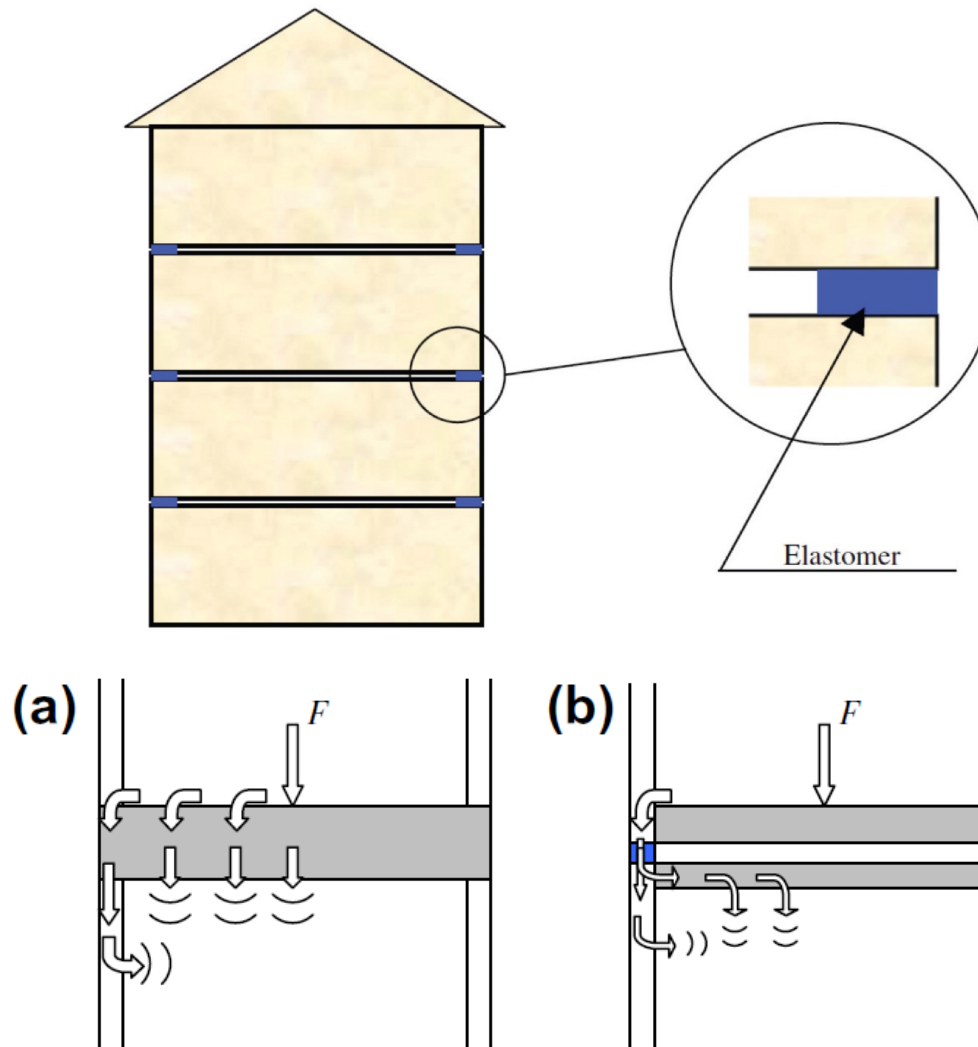
$$L'_{n,w} = L_{n,w,eq} - \Delta L_w + K = (76 - 33 + 2) \text{ dB} = 45 \text{ dB}$$



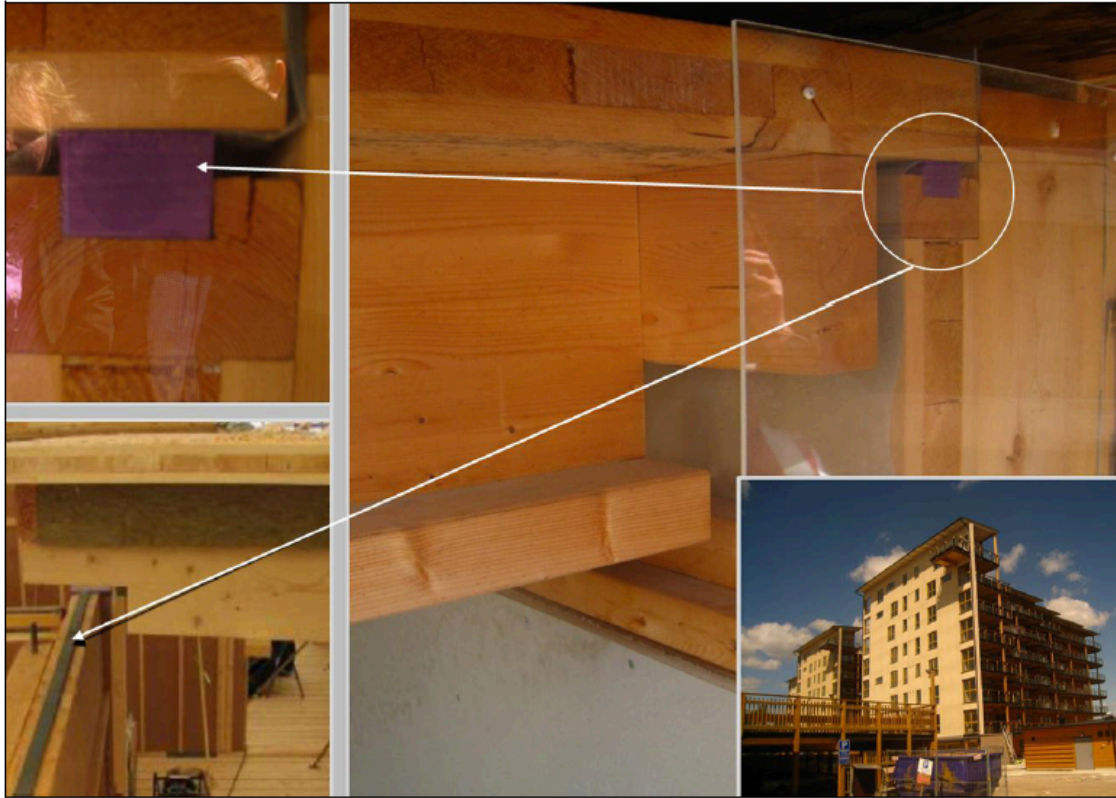
Design example: decoupling structural elements



Design example: timber volume elements



Design example: elastic interlayers



Prediction

- Is it possible to predict vibroacoustic performance of buildings?
-

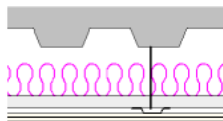
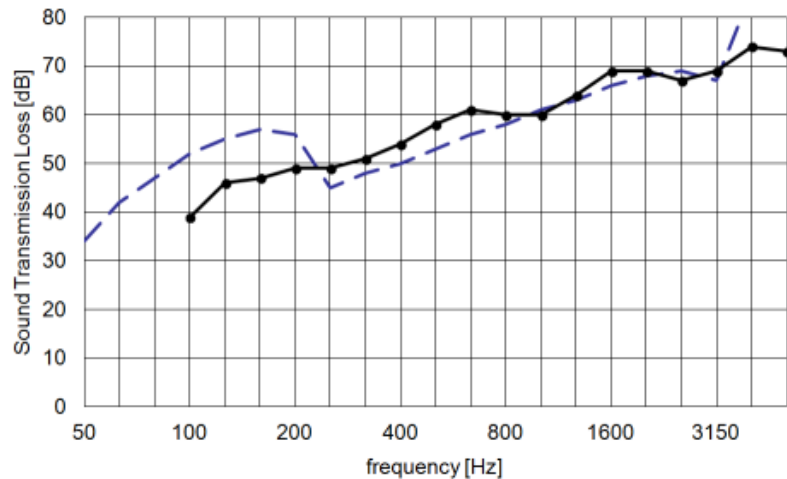
We slowly know more and more but...
... still many things left to be done,
especially in the woodenn constructions...



Prediction: commercial software (I)

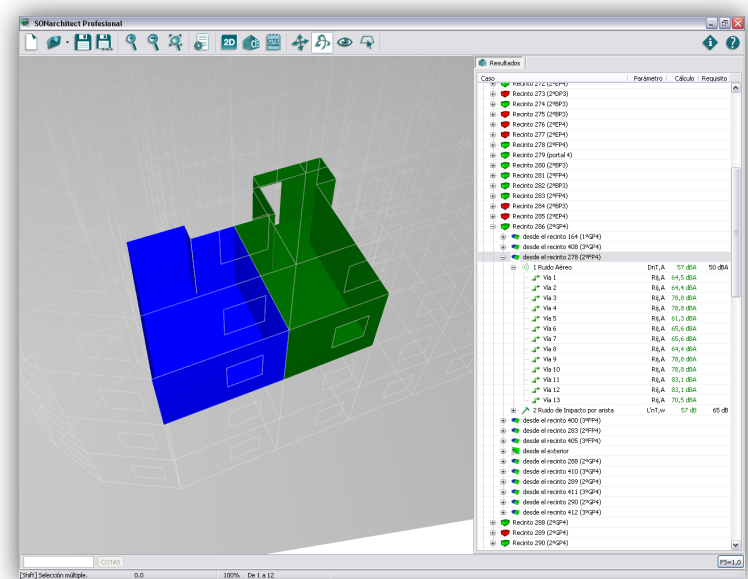
- Insul

- Example: Composite Steel floor (Hibond) 120mm thick with suspended light steel grid with 2 layers of 13mm fire rated plasterboard. 75mm fibreglass blanket in the cavity.



--- Predicted Rw 57

----- Measured Rw 59

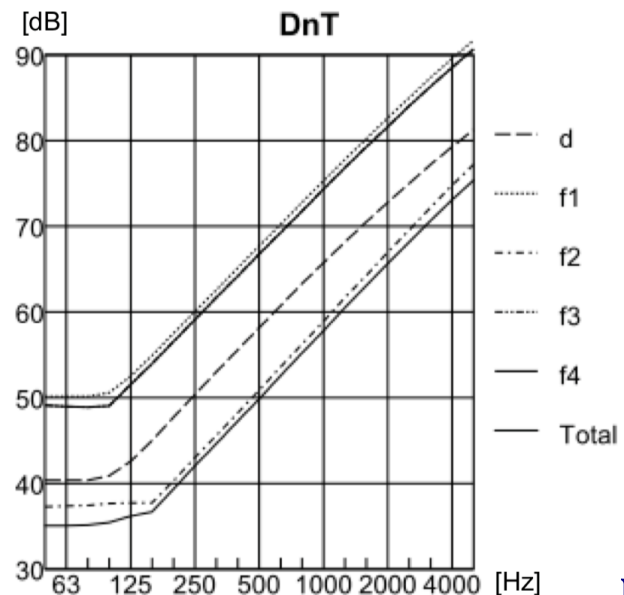
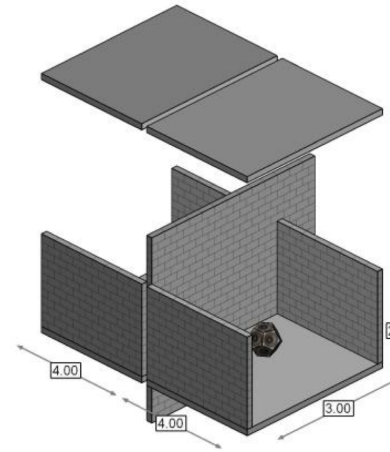
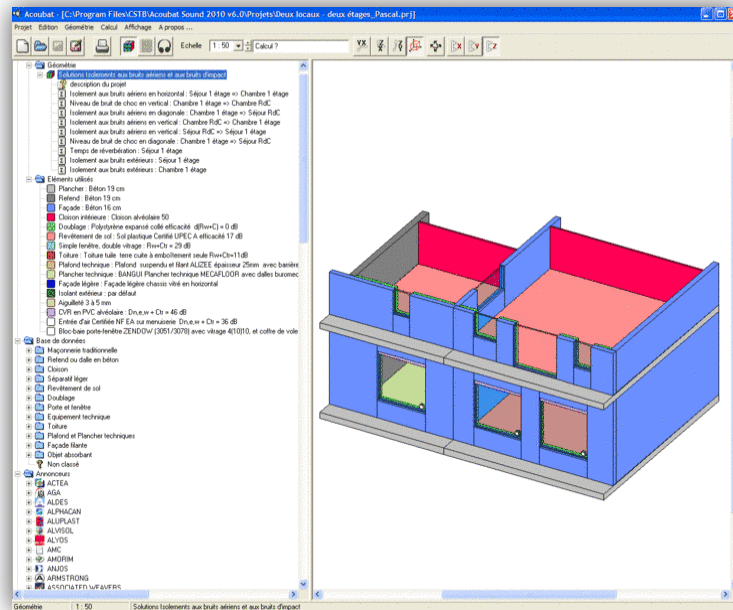


- Son-Architect (ESP)



Prediction: commercial software (II)

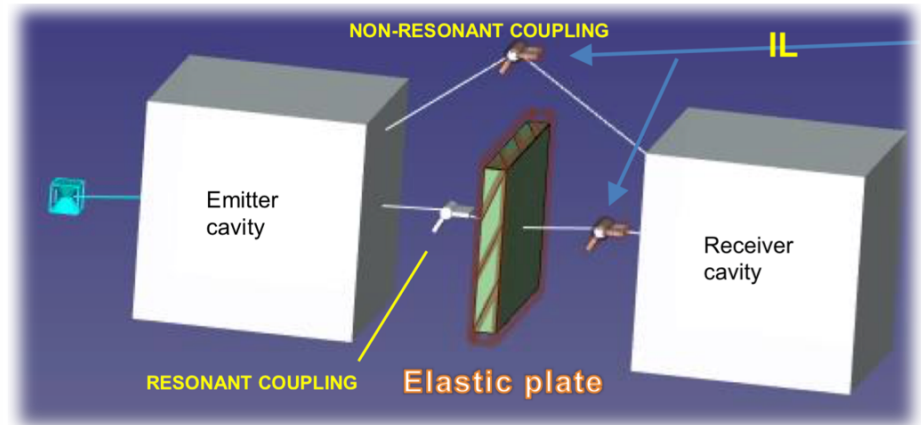
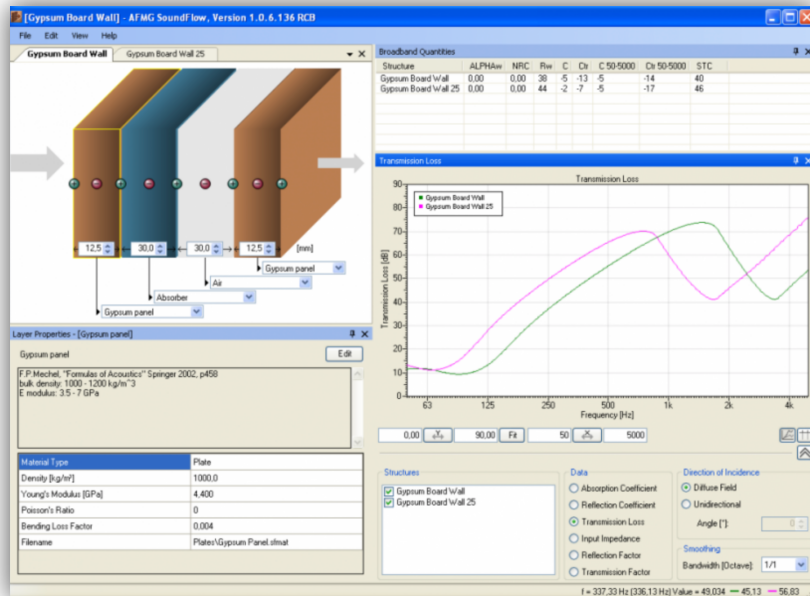
- Acoubat (CSTB France)



- Bastian
 - No update since a while ago (?)

Prediction: commercial software (III)

- AFMG Soundflow

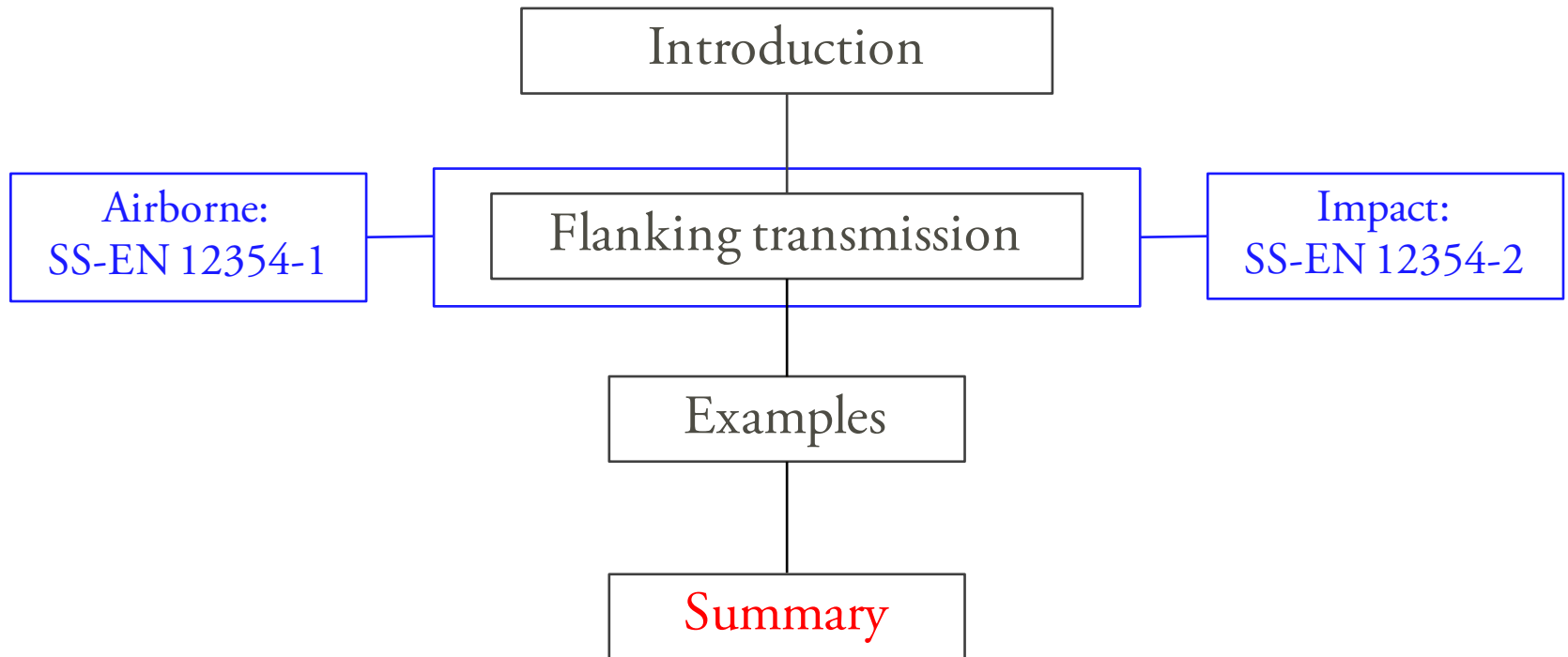


- SEA-Wood

- Works good for airborne sound (less well for impact)
- not very adapted to engineers yet

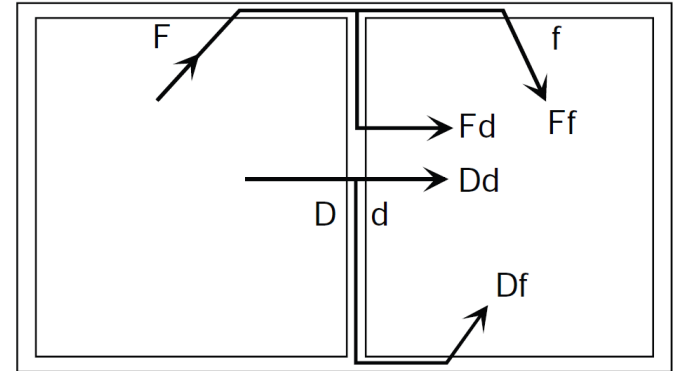


Outline



Summary (I)

- Flanking transmission (airborne)



$$R'_{w,total} = R'_w + C_{50-3150}$$

$$R'_w = -10 \log \left[10^{\frac{-R_{Dd,w}}{10}} + \sum_{f=1}^n 10^{\frac{-R_{Ff,w}}{10}} + \sum_{f=1}^n 10^{\frac{-R_{Df,w}}{10}} + \sum_{f=1}^n 10^{\frac{-R_{Fd,w}}{10}} \right]$$

Lab measurements (ISO)

$$C_{50-3150} = -10 \log \left(\sum_i 10^{\frac{L_i - R_i}{10}} \right) - R'_w$$

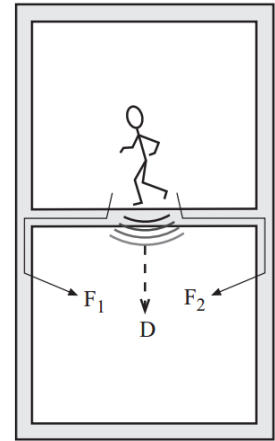
$$(R_f)_{ij,w} = R_{ij,w} = \frac{R_{i,w} + R_{j,w}}{2} + K_{ij} + 10 \log \left(\frac{S_s}{l_0 \cdot l_{ij}} \right)$$



Summary (II)

- Flanking transmission (impact)

$$L'_n = 10 \log \left[10^{\frac{L_{n,d}}{10}} + \sum_{j=1}^n 10^{\frac{L_{n,ij}}{10}} \right]$$



$$L'_{n,w} = L_{n,w,eq} - \Delta L_w + K$$

$$L_{n,w,eq} = 164 - 35 \log \left(\frac{m'}{m'_0} \right)$$

$$m'_0 = 1 \text{ kg} / \text{m}^2$$

Table in SS EN12354-2

Figures in SS EN12354-2



Thank you for your attention!

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