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Acoustics VTAN01

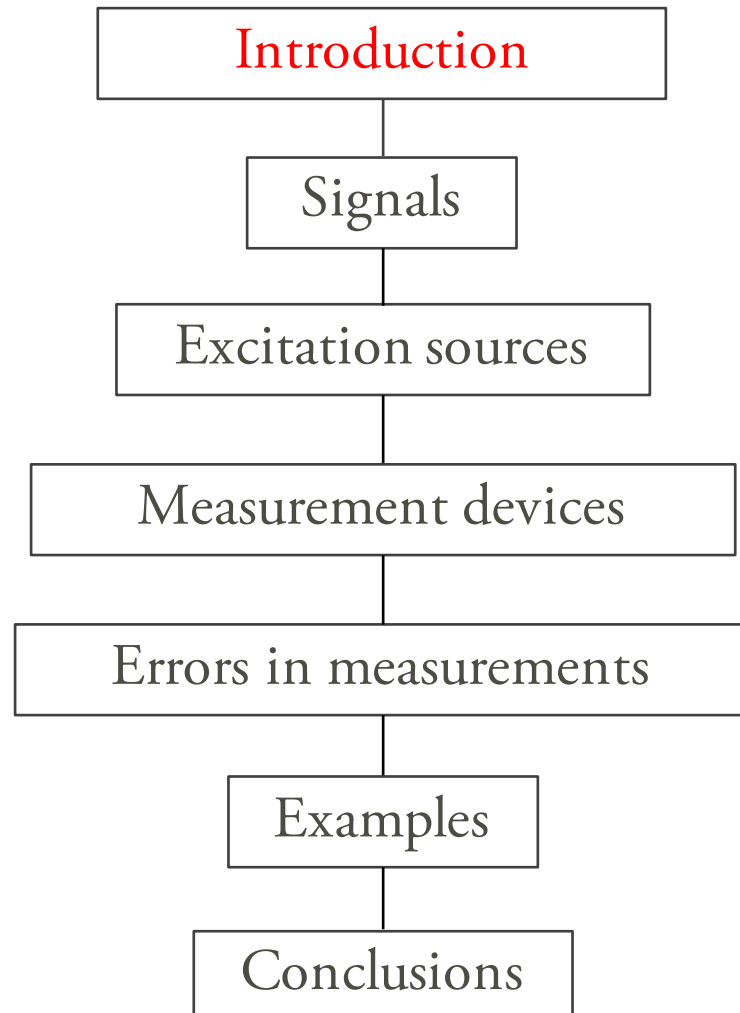
2. Measurement Techniques

NIKOLAS VARDAXIS

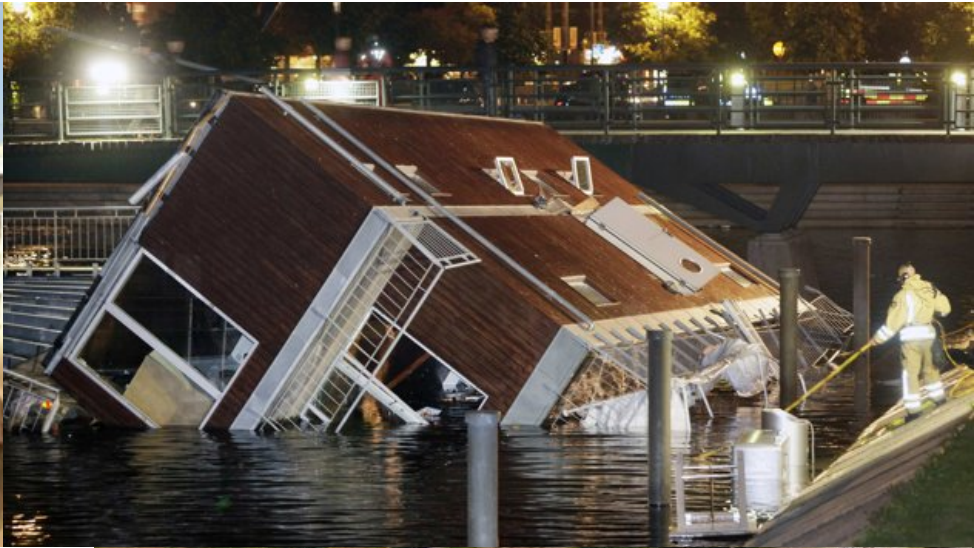
DIVISION OF ENGINEERING ACOUSTICS, LUND UNIVERSITY



Outline

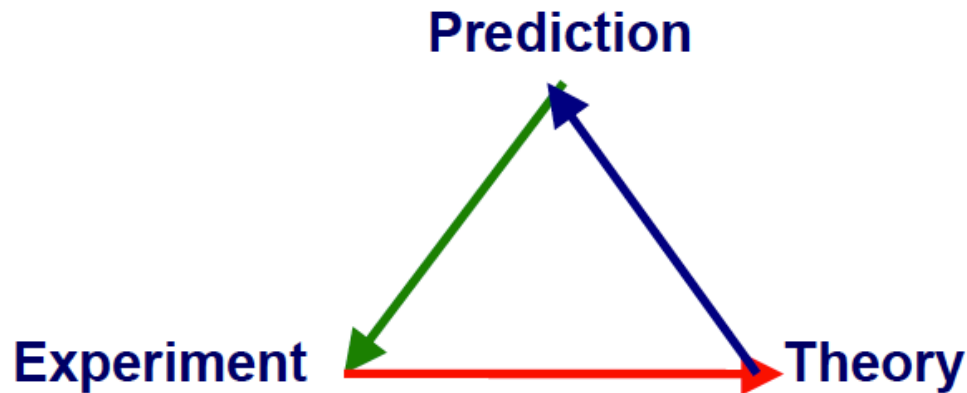


Why do we measure?



Introduction (I)

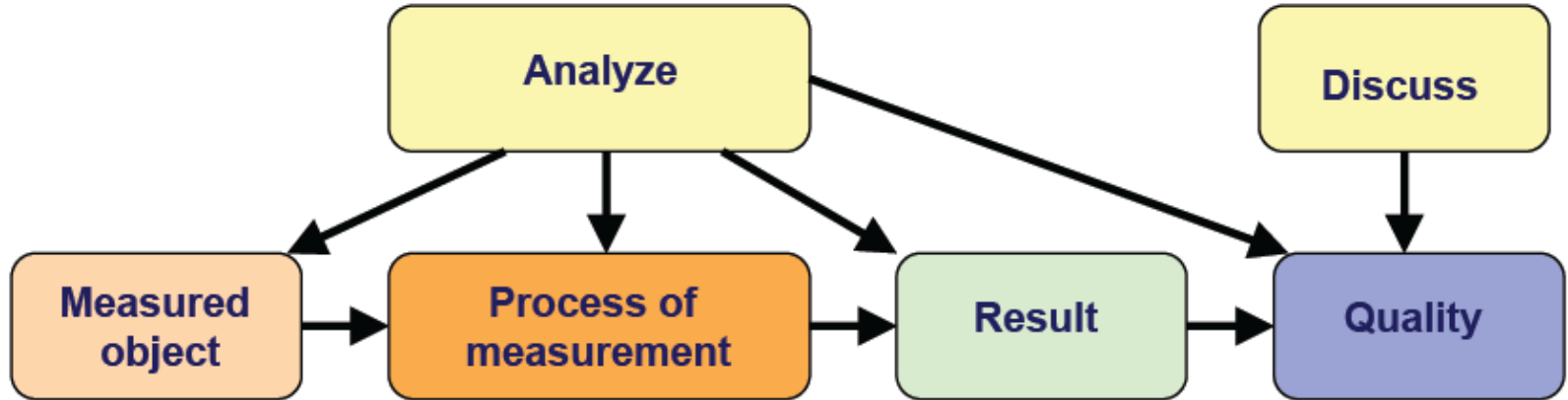
- Paradigm of natural sciences



- Theory: explained and generalised experimental results
- Prediction: use theory to predict consequences
- Experiment: observation / measurement of phenomena



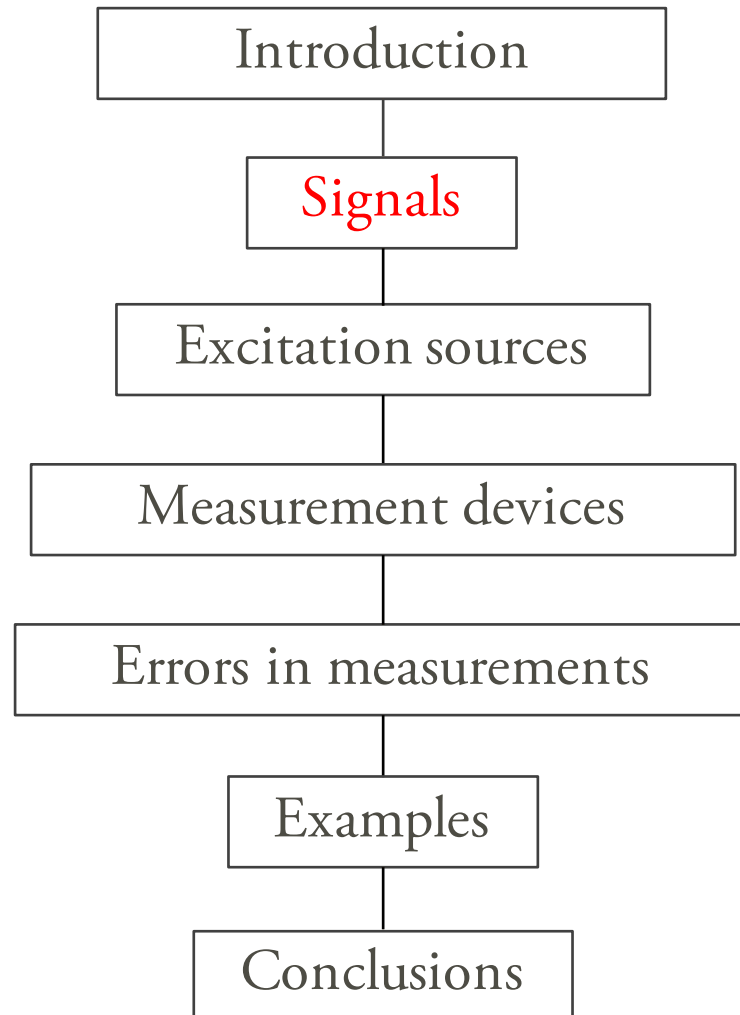
Introduction (II)



- Experimental process to acquire new knowledge of a “product”
- Planned actions for quantitative comparison of a measurand with an unit
- Measurand: physical quantity to be measured
- Measurement equipment: software, standards, apparatus...

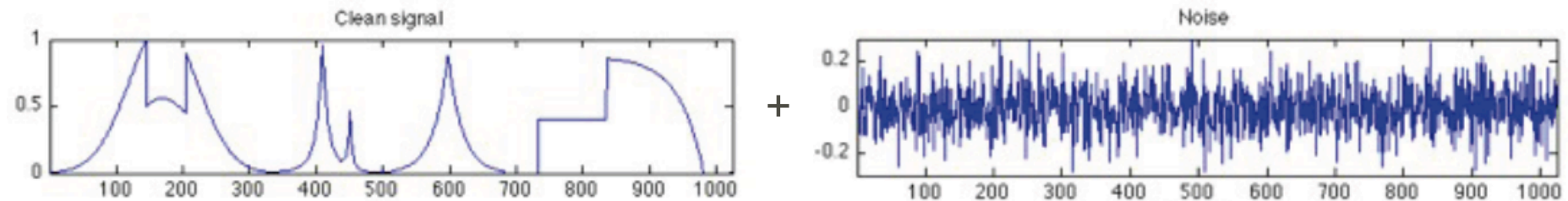


Outline

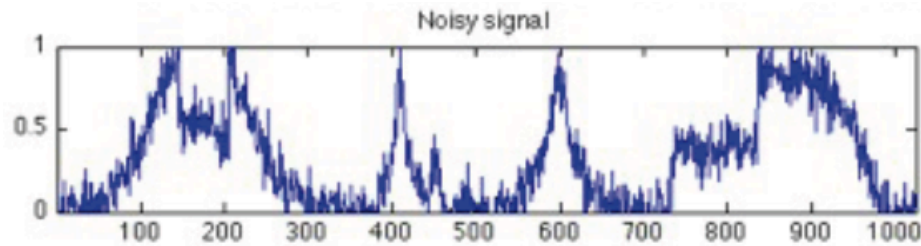


Signals

- Acquisition: voltage-time
 - Unequivocally related to the measurand



- Noise: changes the smooth signal to a “jagged” curve



- Signal to noise ratio (SNR)
 - $SNR > 1$ means $Signal > Noise$
 - Filtering

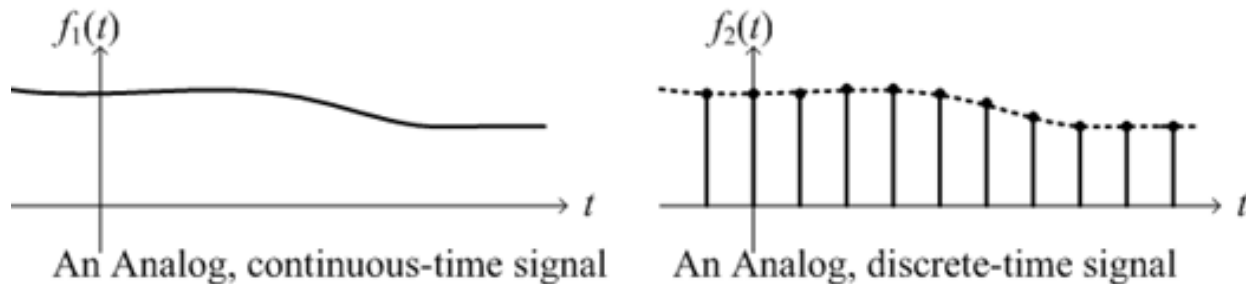
$$SNR = \frac{P_{signal}}{P_{noise}}$$

$$SNR_{dB} = 10 \log_{10} \frac{P_{signal}}{P_{noise}}$$

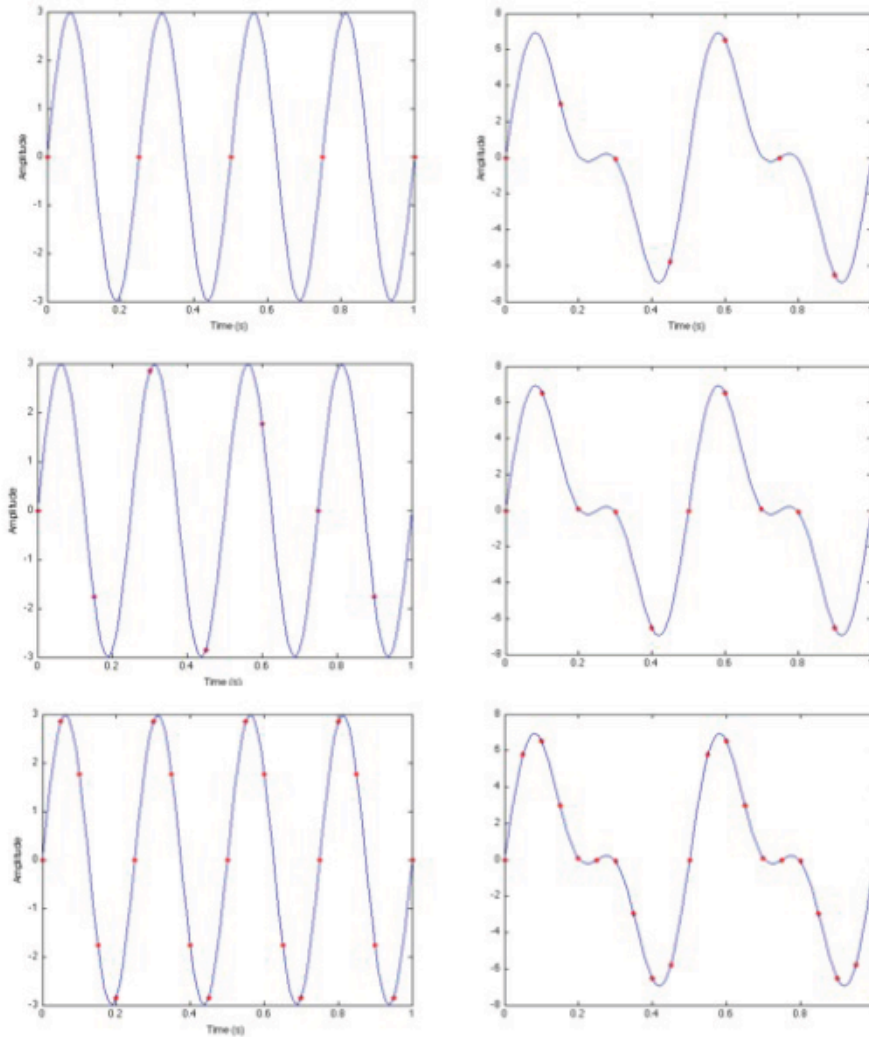


Getting ready for the analysis

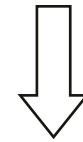
- To get the signal into a computer, one needs to digitalise it
- Digitalise (also called digitise): conversion from analogue signal to a stream of discrete values (numbers)
- Δt between two consecutive values: given by sampling frequency



Sampling frequency



- The red dots (samples) do not truly represent the signal
- How to select an appropriate sampling frequency?



NYQUIST-SHANNON CRITERION

sampling frequency must be twice the higher frequency in the signal



Nyquist-Shannon sampling criterion

Let $x(t)$ be a continuous-time signal and $X(f)$ its FT

$$X(f) \stackrel{Def}{=} \int_{-\infty}^{+\infty} x(t) e^{i2\pi ft} dt$$

$x(t)$ is said to be bandlimited to a one-sided baseband bandwidth, B , if:

$$X(f) = 0 \quad \forall \quad |f| > B$$

The sufficient condition for “exact” reconstructability from samples at uniform sample rate is:

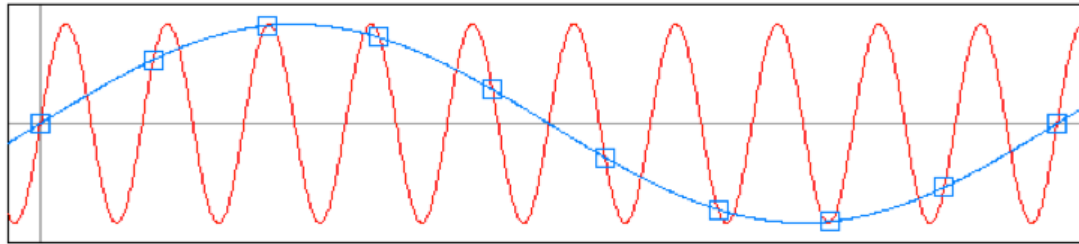
$$f_s > 2B \Leftrightarrow B < \frac{f_s}{2} \quad ; \quad T \stackrel{Def}{=} \frac{1}{f_s}$$

$2B$ is called the Nyquist rate and it is a property of the band-limited signal, while $(f_s/2)$ is called the Nyquist frequency and is a property of the sampling system



Aliasing

- If Nyquist-Shannon criterion is not fulfilled (bad sampling)
 - Two different continuous signals become indistinguishable

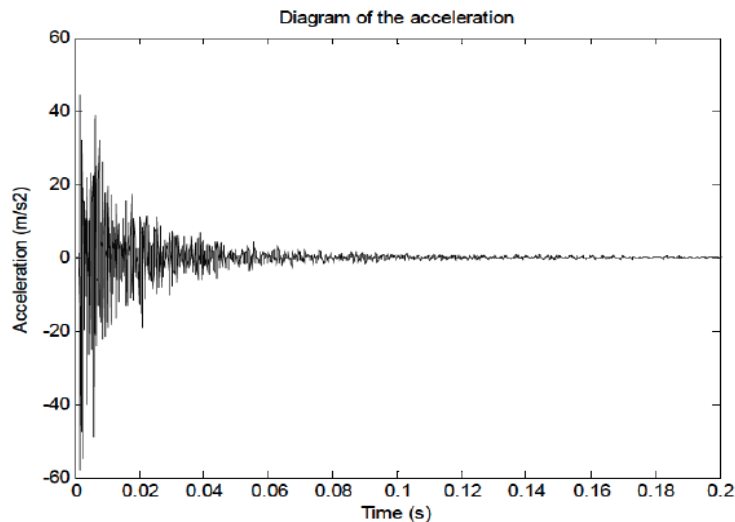


- Example: Helicopter: Stroboscopic effect
- Example: Image aliasing (Sampling / Pixel density wrong)

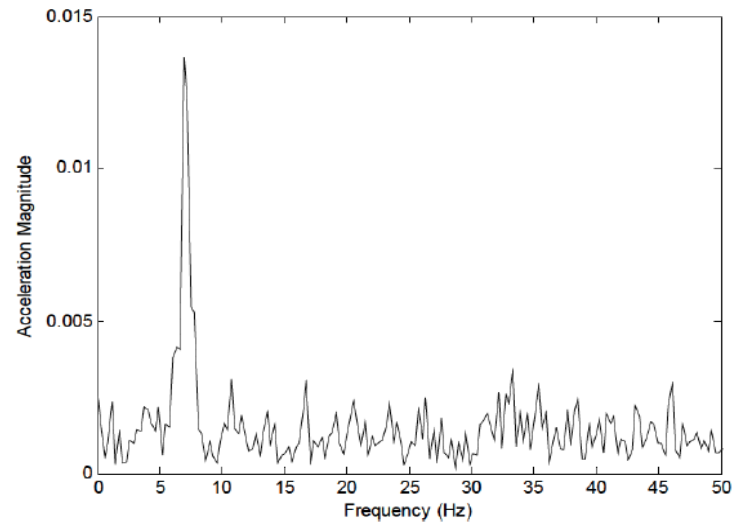


How to analyse the data?

- Waveform: amplitude as a function of time
- Spectrum: frequencies contained in the signal
- Leap between domains: FT
- In practice, software apply FFT



(a) Time domain.



(b) Frequency domain.



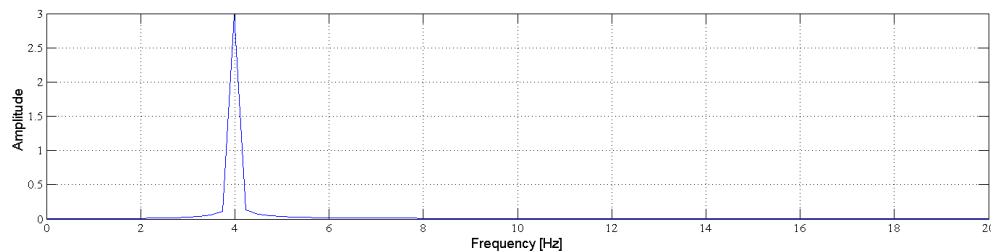
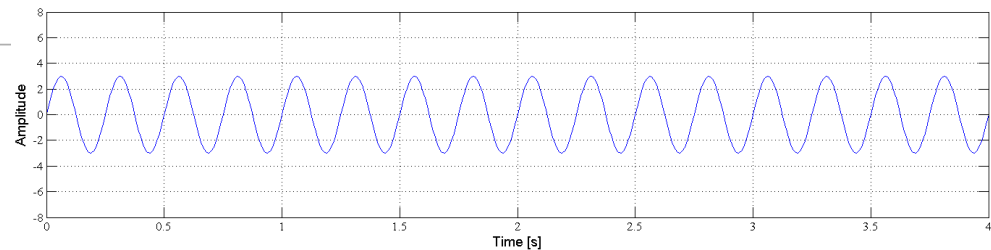
FFT example (Matlab)

```
%Juan Negreira; May 2011
%Calculates the discrete fourier transform of the timedomain signal y(t)
%Y:amplitude of the frequency components
%f:frequencies[Hz]
%Only the unique points are returned ie. f lies in 0 <= f <= Fs/2

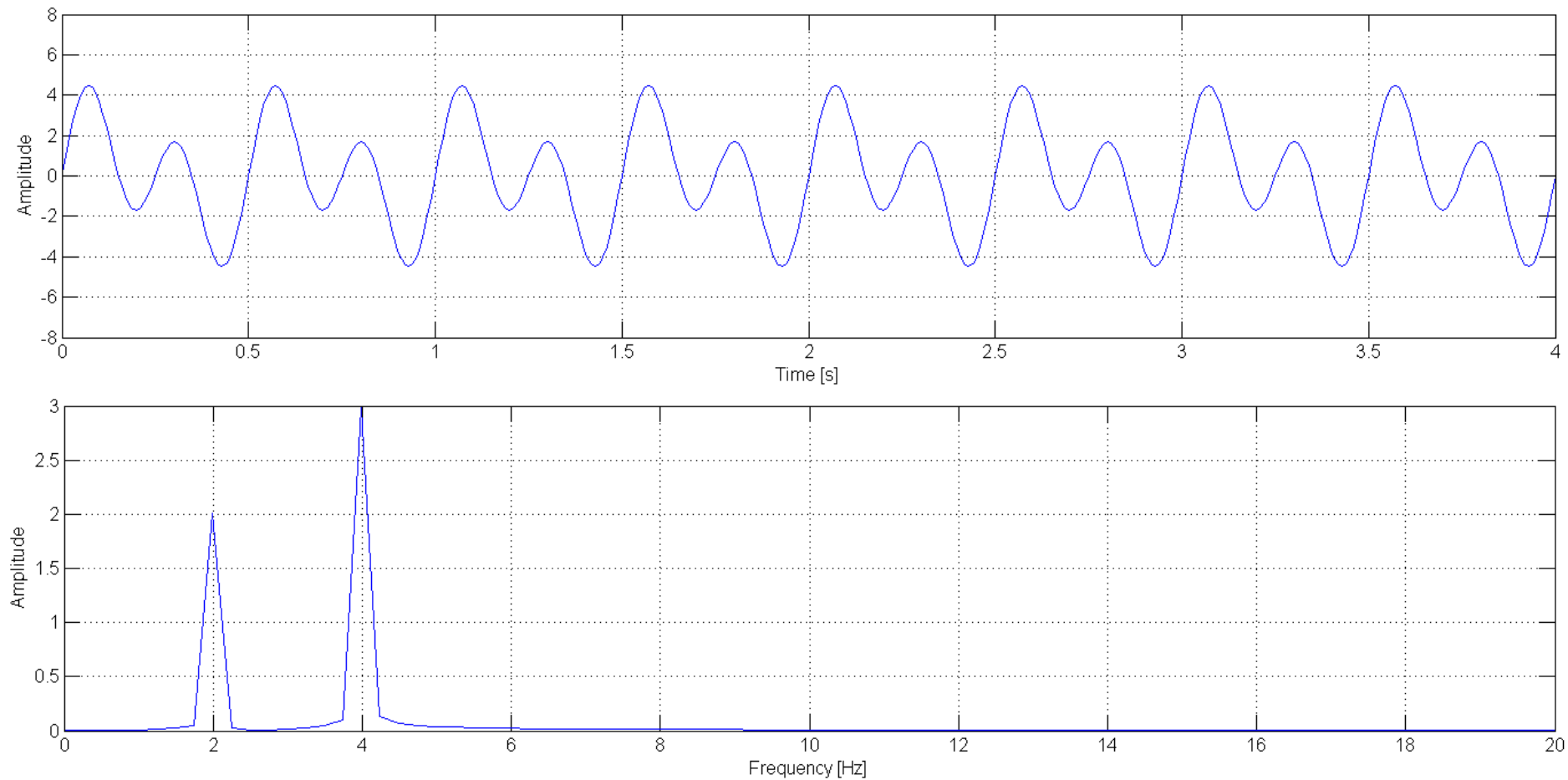
%% Introducing the time signal
dt=1/100;
et=4;
xData=0:dt:et;
yData=3*sin(4*2*pi*xData);

%% Calculating the FFT
%Number of points in input data
NFFT=length(yData);
%Nyquist frequency
Fn=1/(xData(2)-xData(1))/2;
%Absolute value of the FRF
FFTY=abs(fft(yData));
NumUniquePts=ceil((NFFT+1)/2);
% fft symmetric, throw away second half
FFTY=FFTY(1:NumUniquePts);
% Take magnitude of Y
Yfft=abs(FFTY);
% Multiply by 2 to take into account the fact that we
% threw out second half of FFTY above
Yfft=Yfft*2;
% Account for endpoint uniqueness
Yfft(1)=Yfft(1)/2;
% We know NFFT is even
Yfft(length(Yfft))=Yfft(length(Yfft))/2;
% Scale the FFT so that it is not a function of the length of y.
Yfft=Yfft/length(yData);
%Frequencies
freq=(0:NumUniquePts-1)*2*Fn/NFFT;

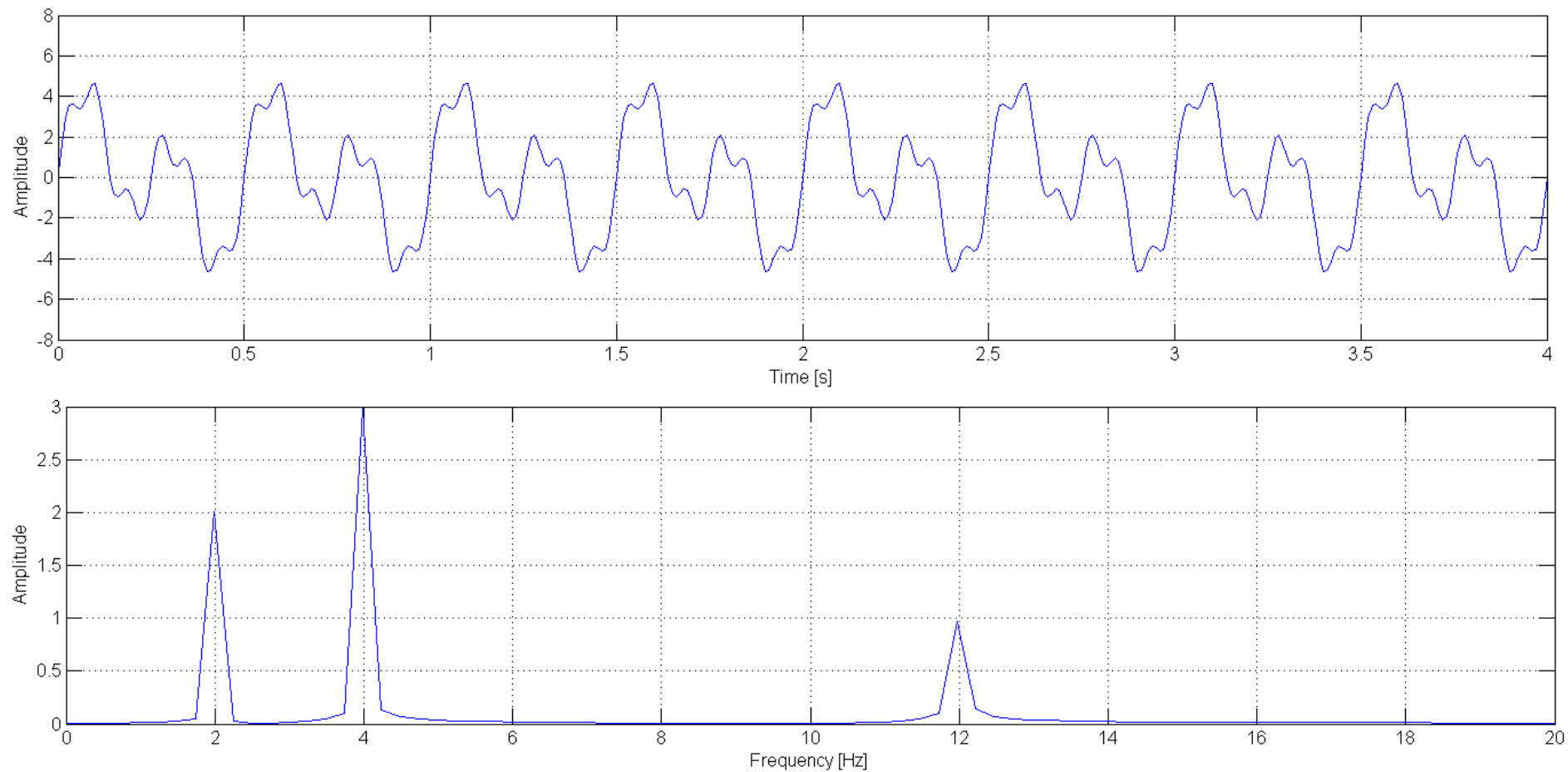
%% Plotting time signal and FFT
subplot(2,1,1)
plot(xData,yData); grid on
axis([0 et -8 8])
xlabel('Time [s]'); ylabel('Amplitude')
subplot(2,1,2)
plot(freq, Yfft);grid on
xlabel('Frequency [Hz]'); ylabel('Amplitude')
```



FFT example (Matlab)



FFT example (Matlab)

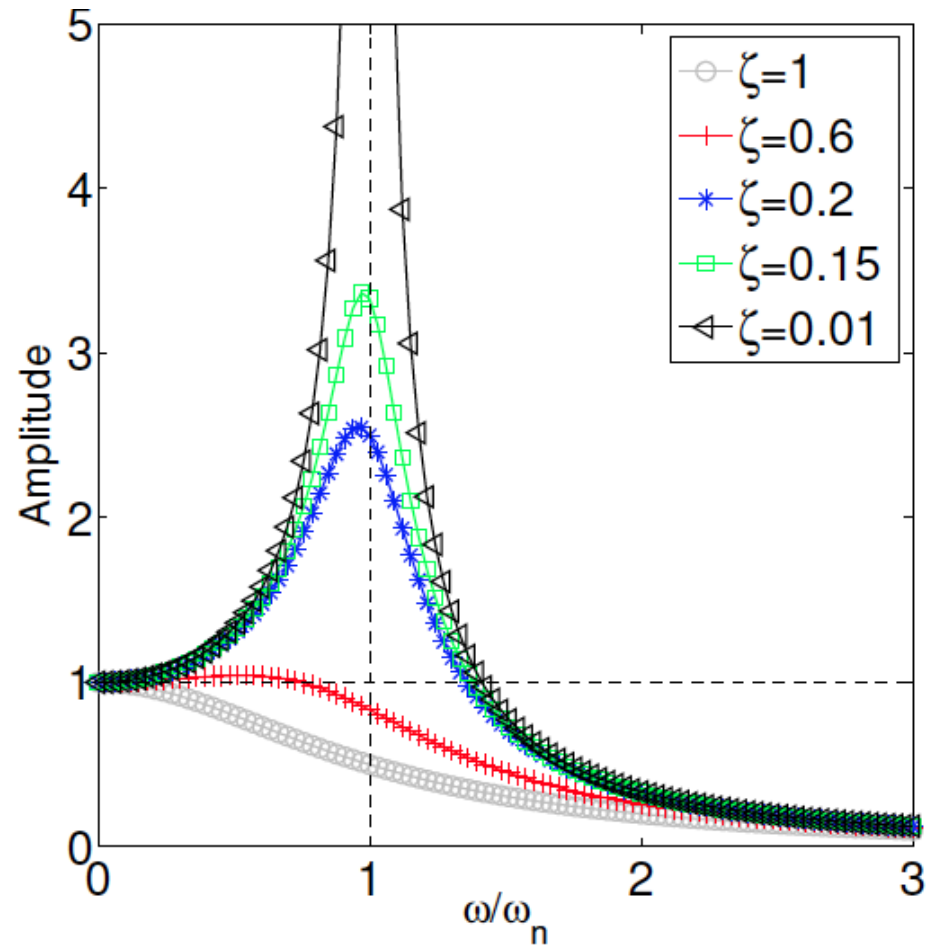


- *Example: [video](#)*

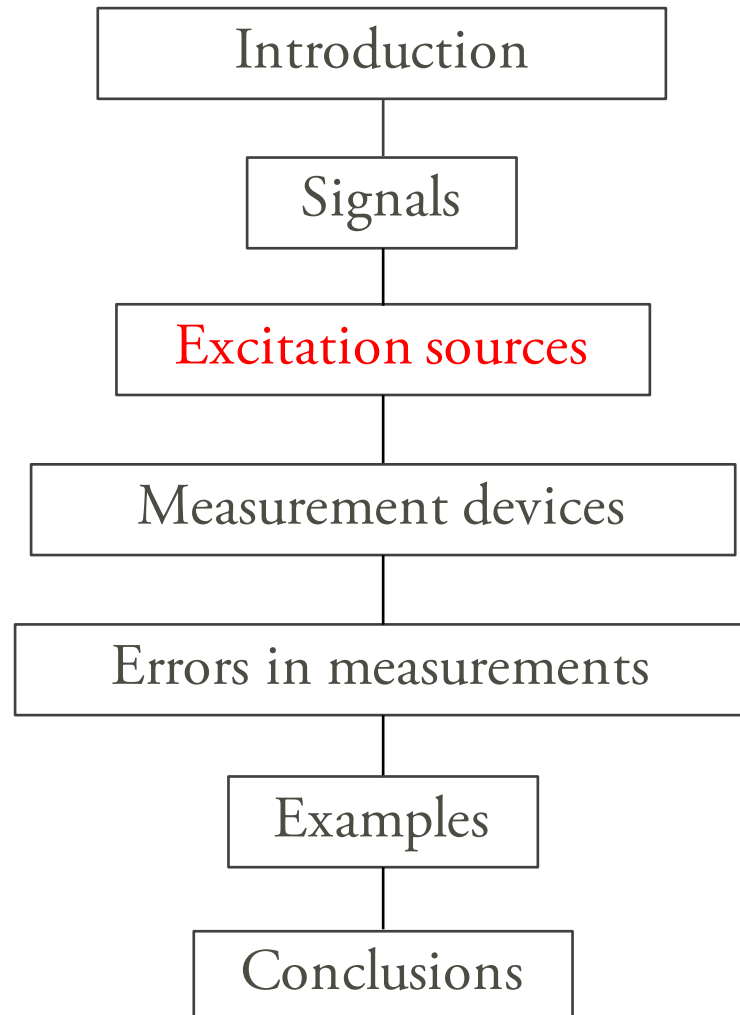


Resonance

- Resonance (def.):
 - Tendency to oscillate at a greater amplitude at some frequencies
- Depends on:
 - Mass
 - Stiffness
 - Damping
- Examples:
 - Earthquake design
 - Bridges (Tacoma & Spain)
 - Cup
 - Plate (mode shapes)

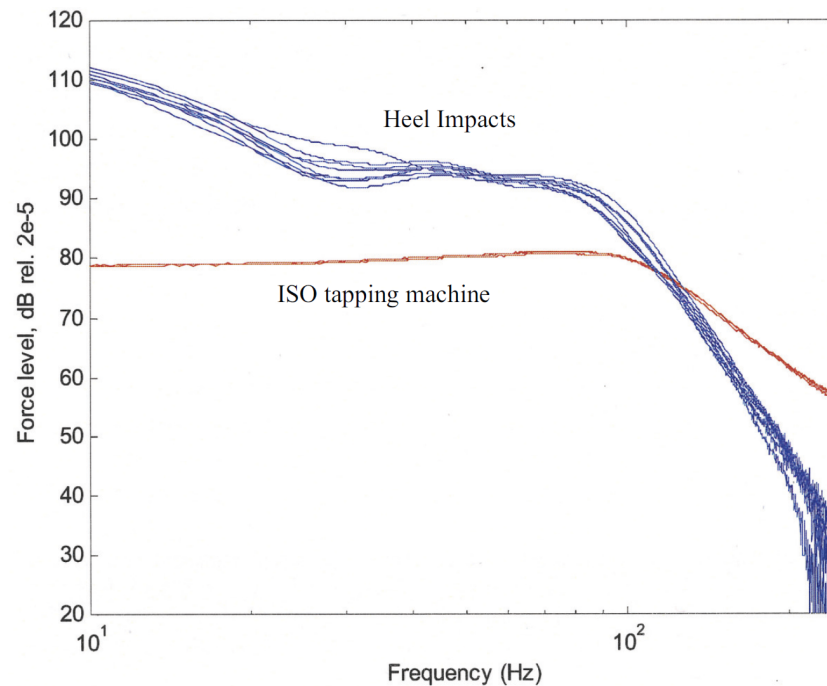


Outline



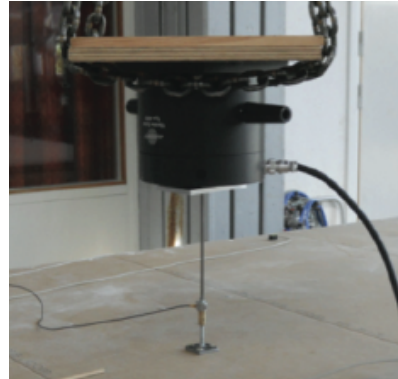
Excitation sources (floor vibrations)

- Standardised
 - Tapping machine
 - Rubber tire



Excitation sources (floor vibrations)

- Standardised
 - Tapping machine
 - Rubber tire
- Non-standardised
 - Shaker
 - Japanese ball
 - Impact hammer
 - Human walking
 - ...

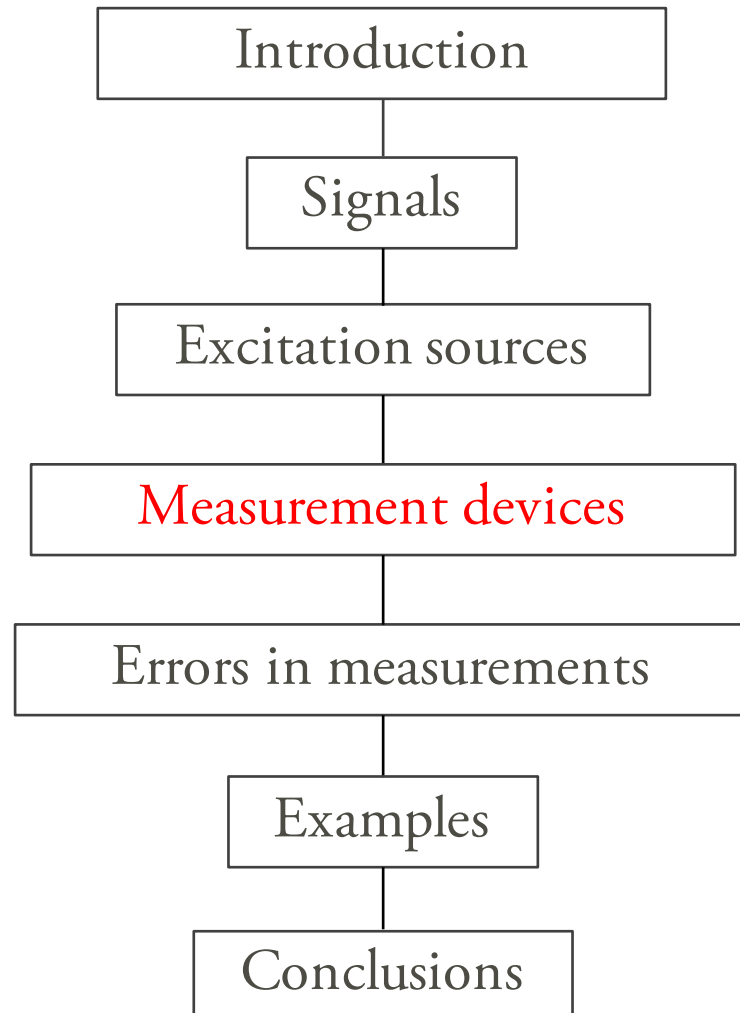


Excitation sources (acoustics)

- Standardized
 - Loudspeakers (noise)
- Non-standardized
 - Cap-gun
 - Baby-crying
 - Impulse



Outline



Sensors and transducers

- Transducers: detection
- Sensors: detect and communicate
 - Parameters:
 - » Sensitivity: “electrical output / mechanical input”, e.g. [mV/ms⁻²]
 - » Frequency response: sensitivity over whole spectra
 - » Phase response: time delay between input and output
 - » Resolution: smallest input increment reliably detected
 - » Dynamic range: output proportional to input
 - » Saturation: maximum output capability
 - » Weight < 0.1 x weight specimen to be measured
 - » Environmental characteristics: temperature, humidity...
 - » Repeatability / Reproducibility
 - » Eccentricity



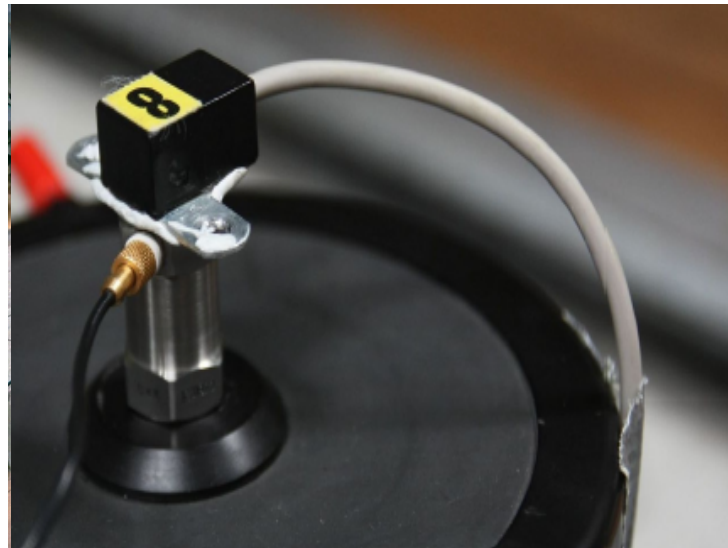
Calibration (I)

- What is it?
 - Comparison between the value indicated in a device and a reference known value
- Why calibrate?
 - Repeatability
 - Transference
 - Equipment exchange
 - Fulfillment of quality standards



Calibration (II)

- Examples:
 - Sound level meter:
 - Accelerometers:



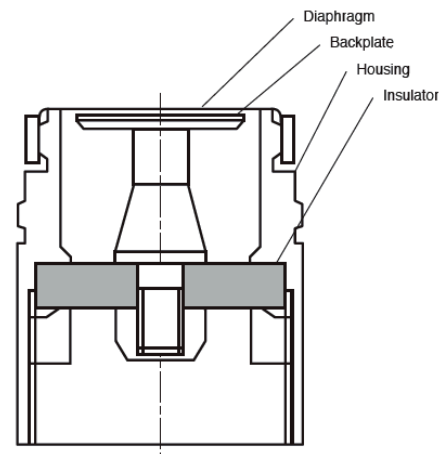
Microphones (I)

- Acoustical-to-electric transducer (sound \rightarrow electric signal)
- Scalar pressure sensors with an omnidirectional response



Microphones (II)

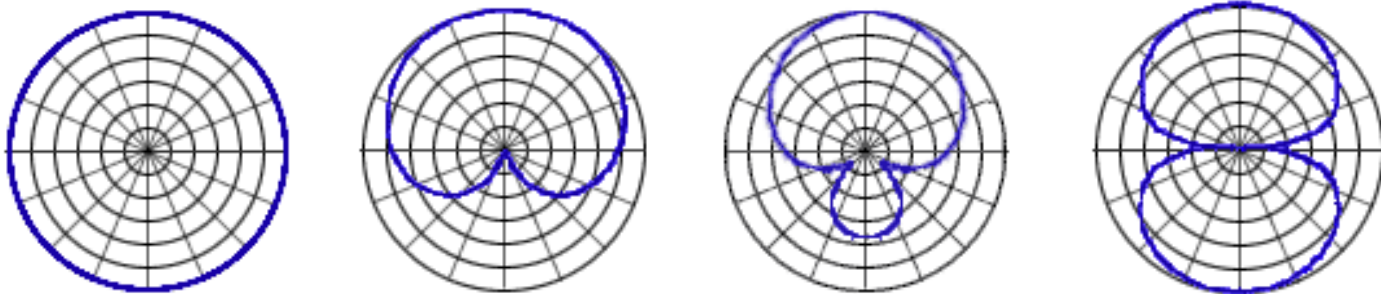
- Requirements:
 - Good acoustic and electric performance
 - Minor influence from the environment
 - High stability of sensitivity and frequency response
 - High suitability for measurement
 - Comprehensive specifications and performance description.



Microphones (III)

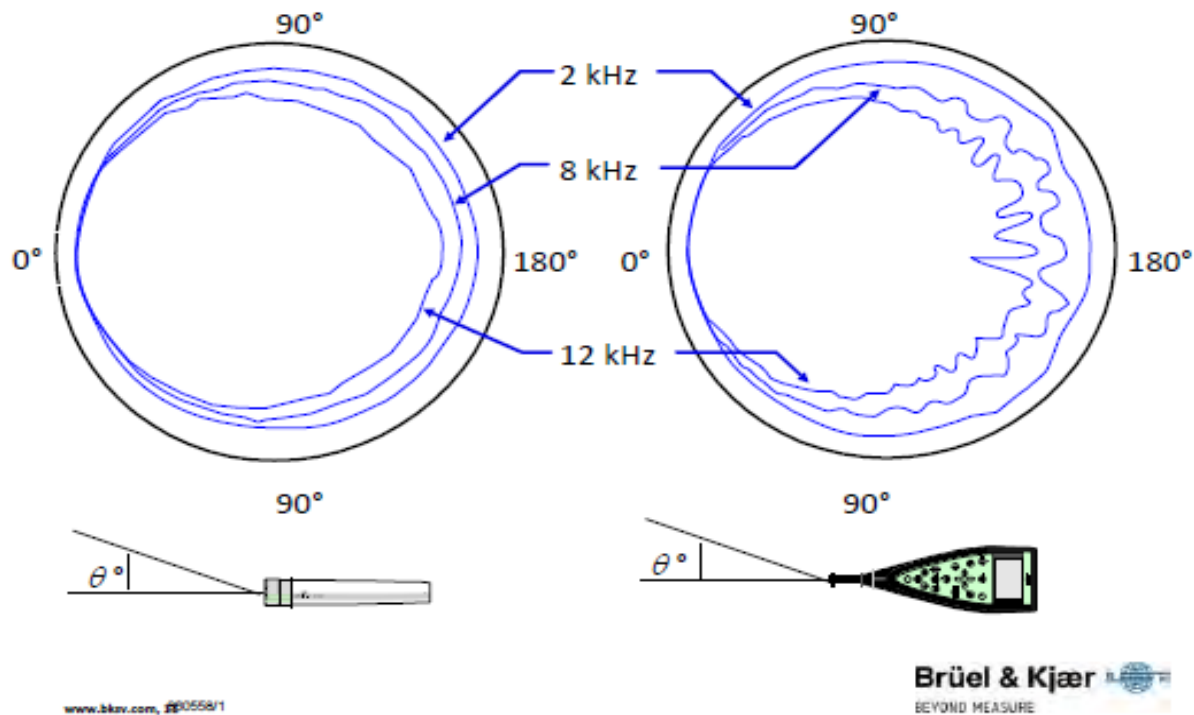
Microphones' directionality (polar plots)

- Microphone's sensitivity to sound from various directions
 - Omnidirectional
 - Unidirectional (e.g. cardioid and hypercardioid)
 - Bidirectional



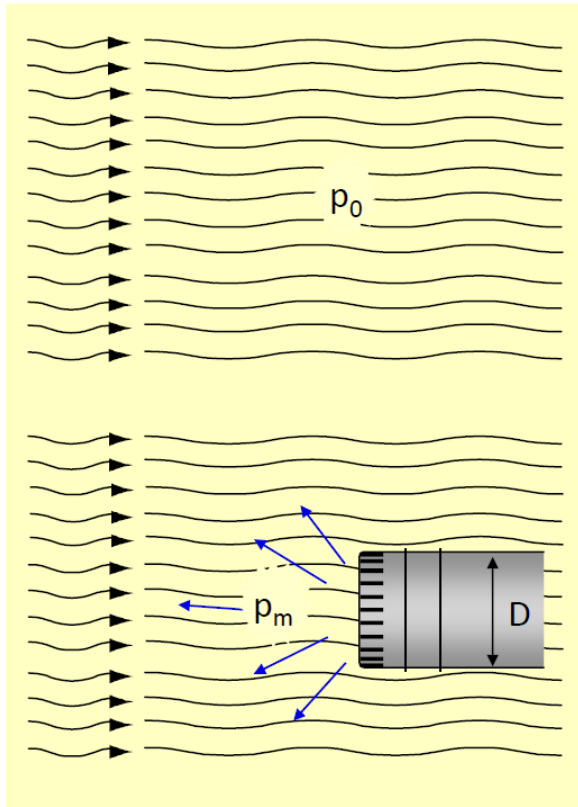
Microphones (IV)

Directional Characteristics

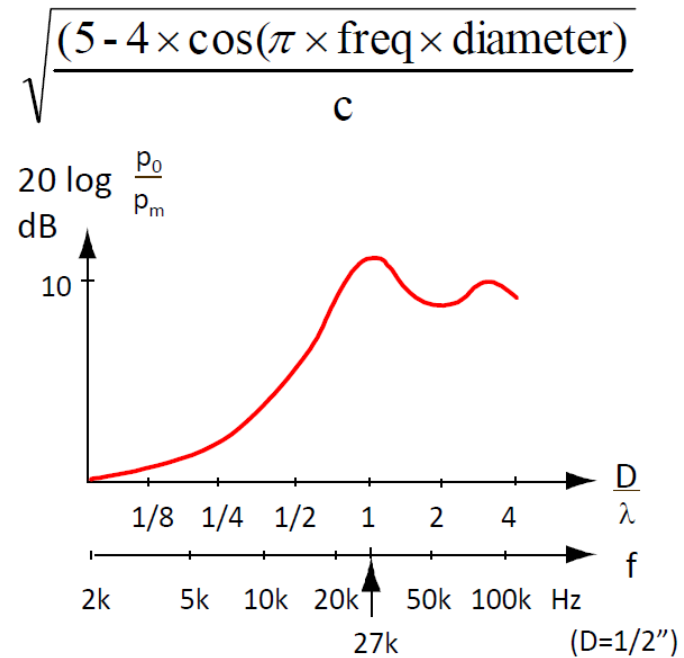


Microphones (V)

Free Field Correction



www.bksv.com, 13



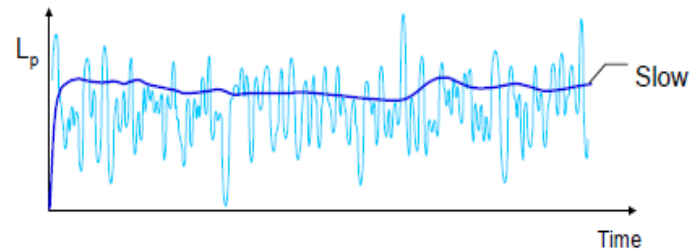
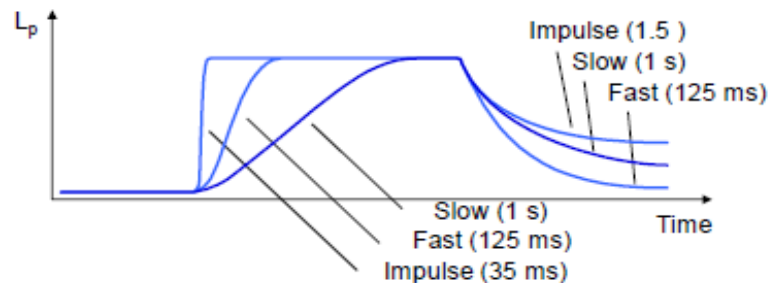
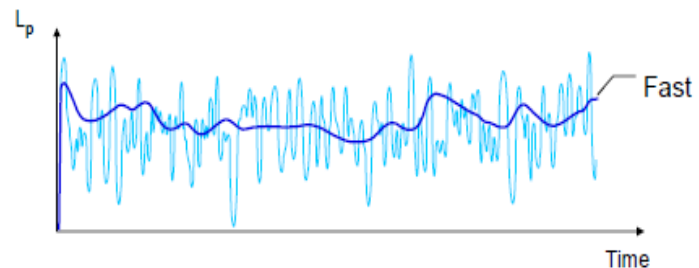
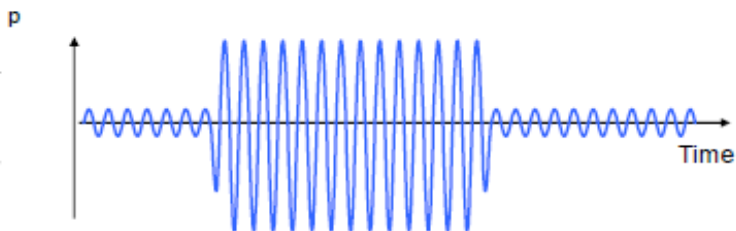
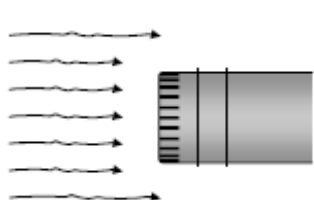
Brüel & Kjær
BEYOND MEASURE



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Microphones (VI)

Time Weighting



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BEYOND MEASURE

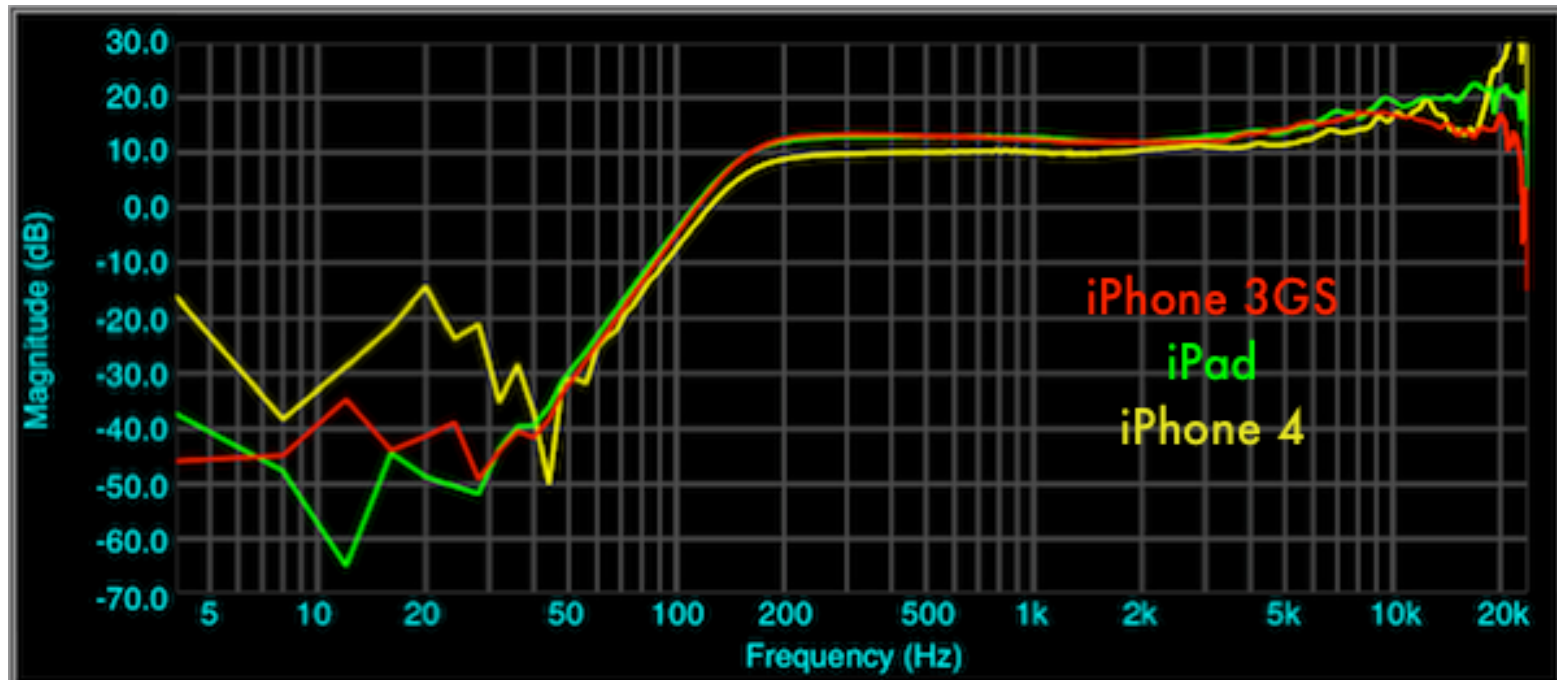
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Microphones (VII)

Example: iPhone Built-in Microphone Frequency Response



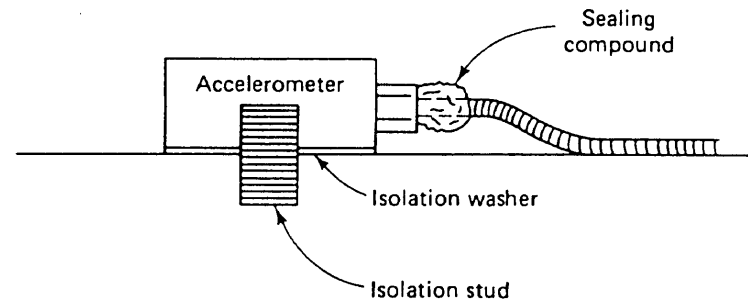
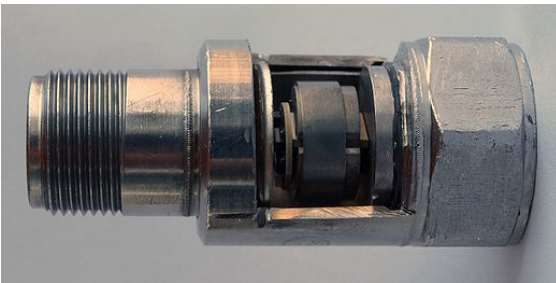
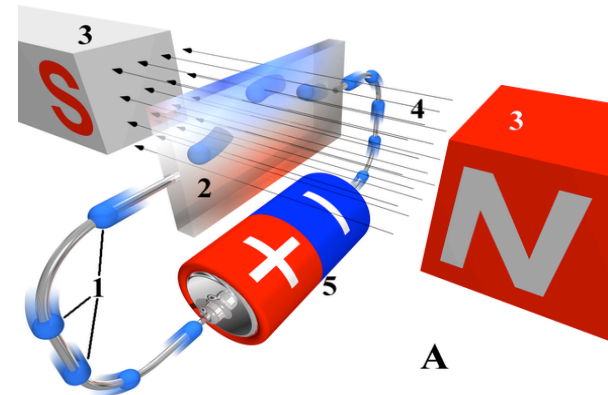
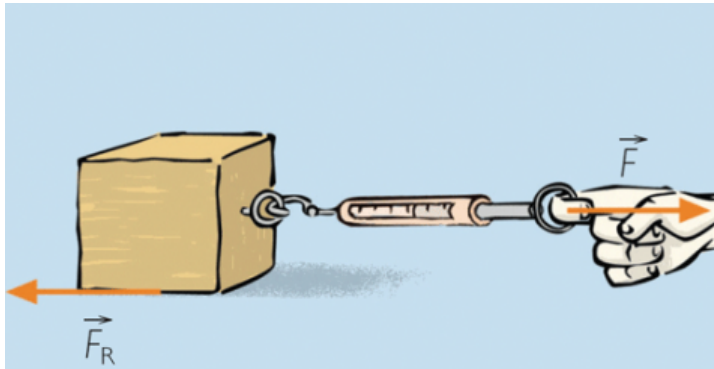
REF: <http://blog.faberacoustical.com/2010/ios/iphone/iphone-4-audio-and-frequency-response-limitations/>



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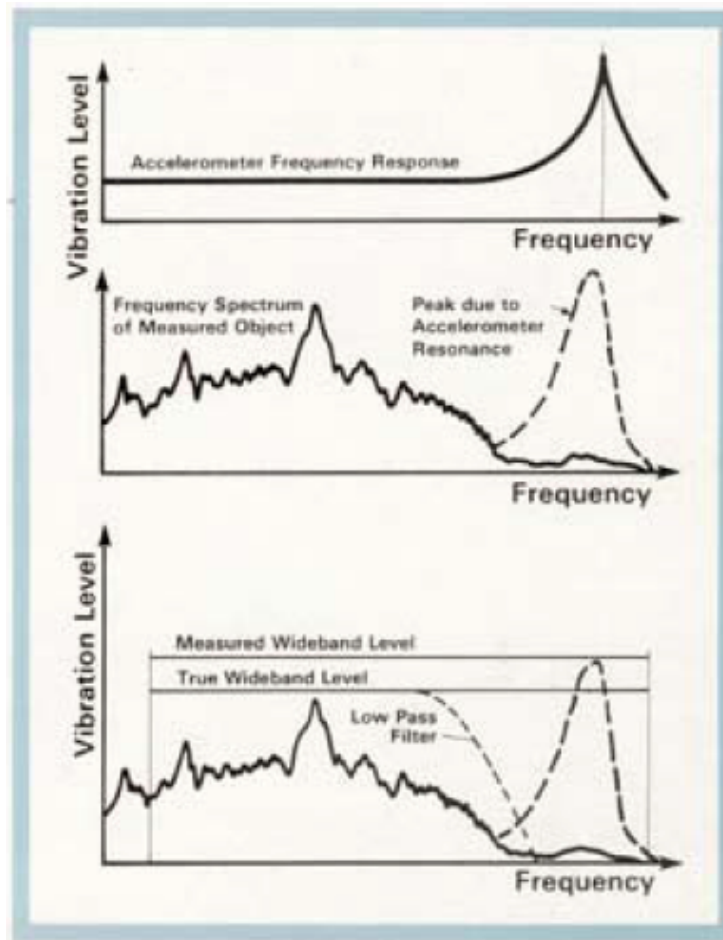
Accelerometers (I)

- Mechanical, piezoelectric, hall effect, capacitive...



Accelerometers (II)

- Avoiding errors due to accelerometer resonance

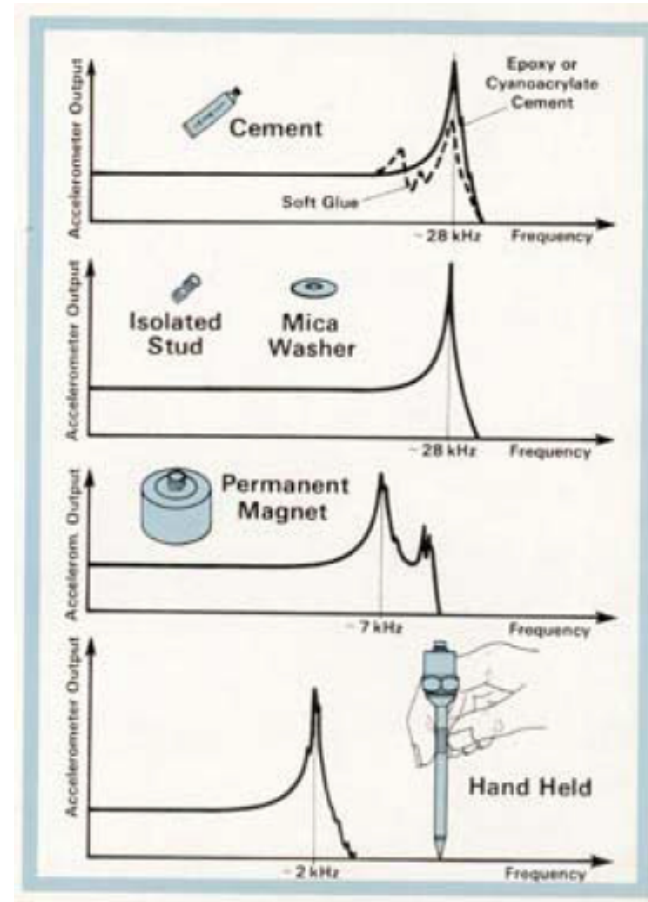
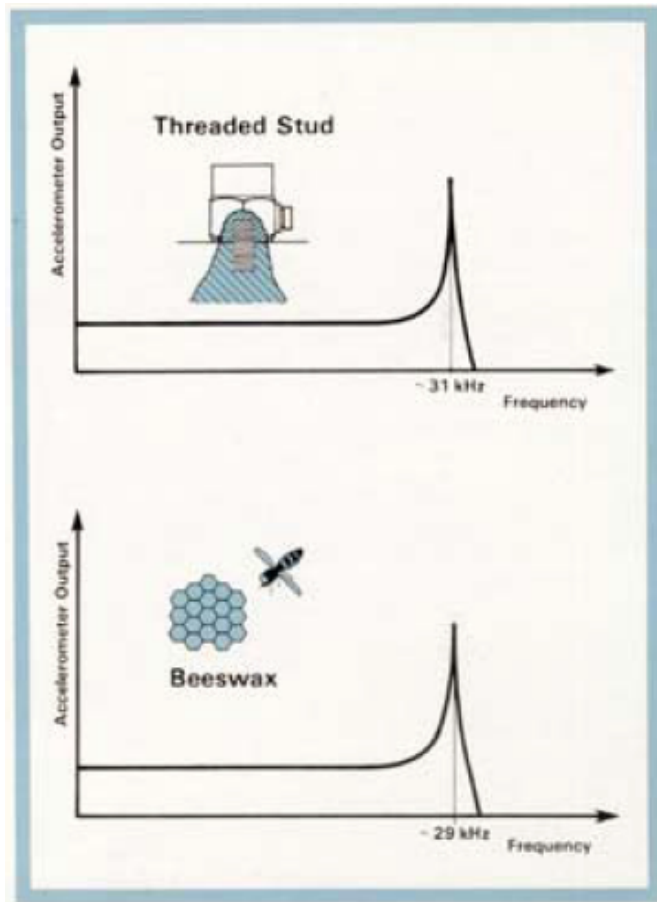


Source: Measuring vibration (B&K)



Accelerometers (III)

- Be aware of the mounting method...

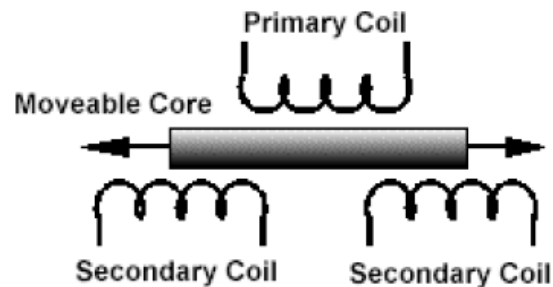
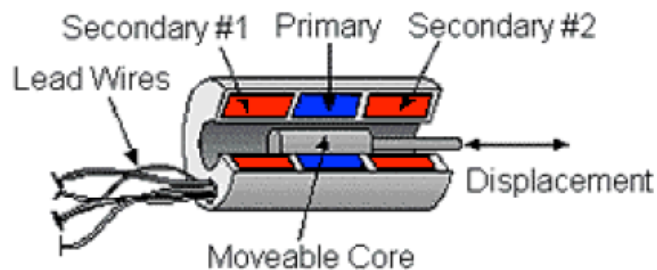
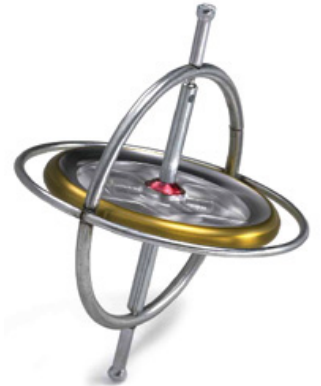


Source: Measuring vibration (B&K)



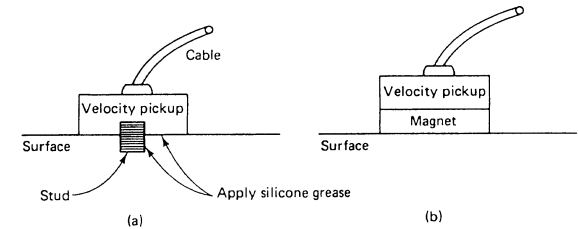
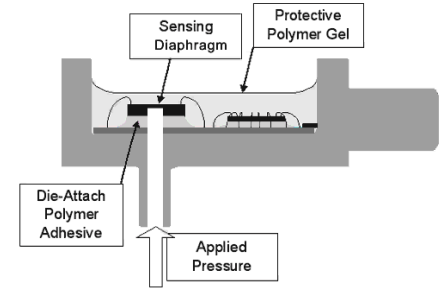
Others (I)

- Gyroscopes
 - Measure or maintaining orientation
 - Based on conservation of angular momentum
- LVDT sensors
 - Linear Variable Differential Transformers
 - Output voltage proportional to the displacement of the core

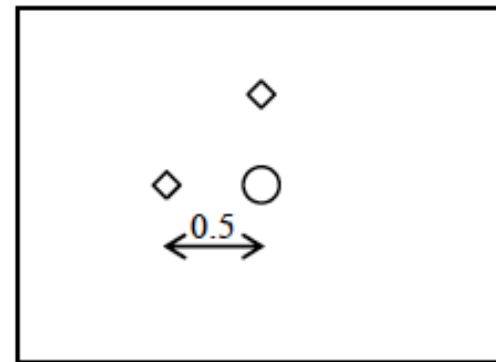
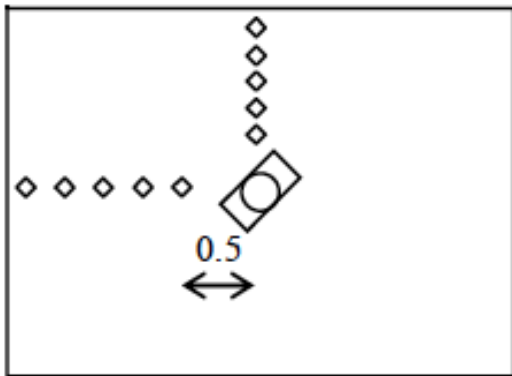
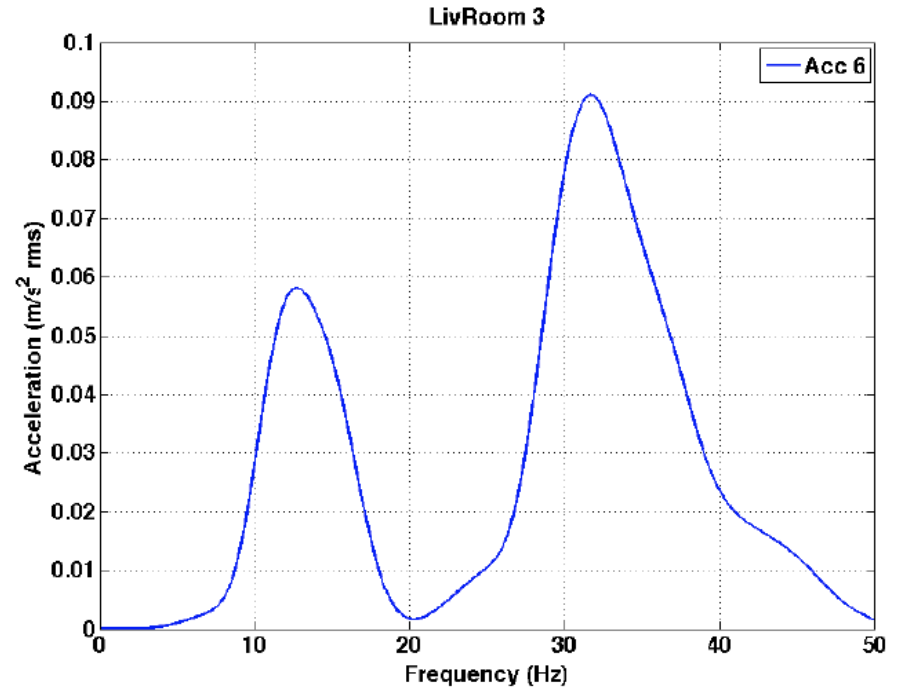
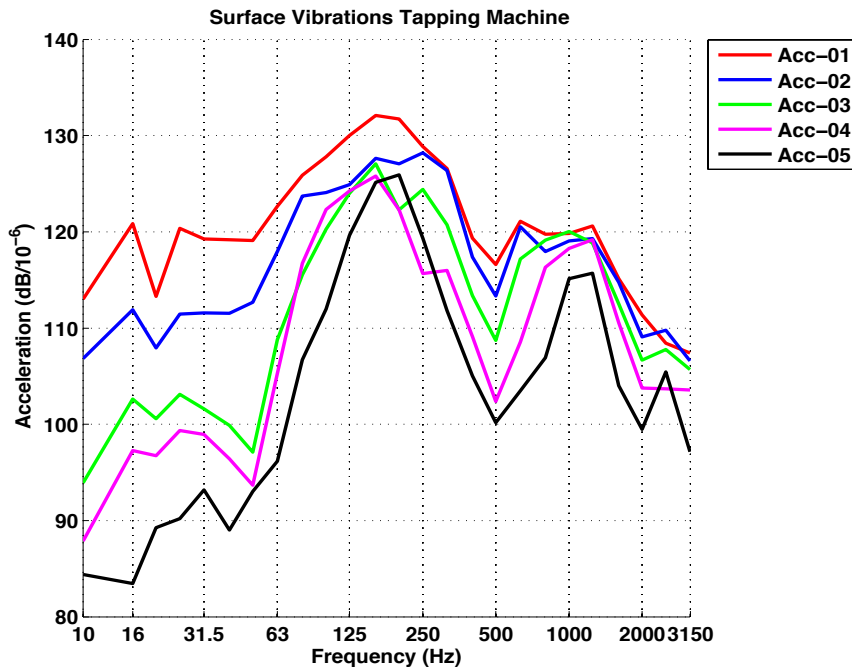


Others (II)

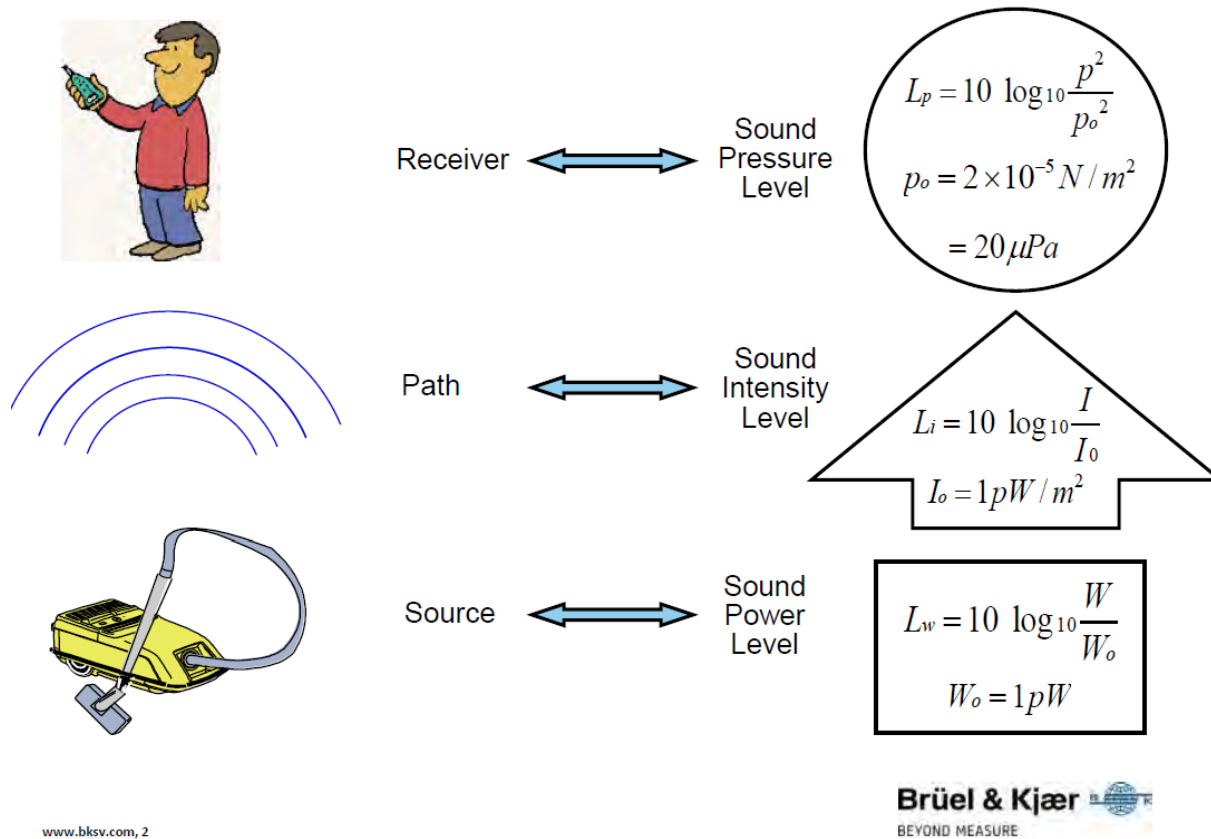
- Pressure sensors
 - Output voltage proportional to the pressure
- Interferometers
 - Output voltage if obstacle detected
- Velocity pickups
 - Voltage proportional to the relative velocity between elements
- Smartphones
 - Different sensors



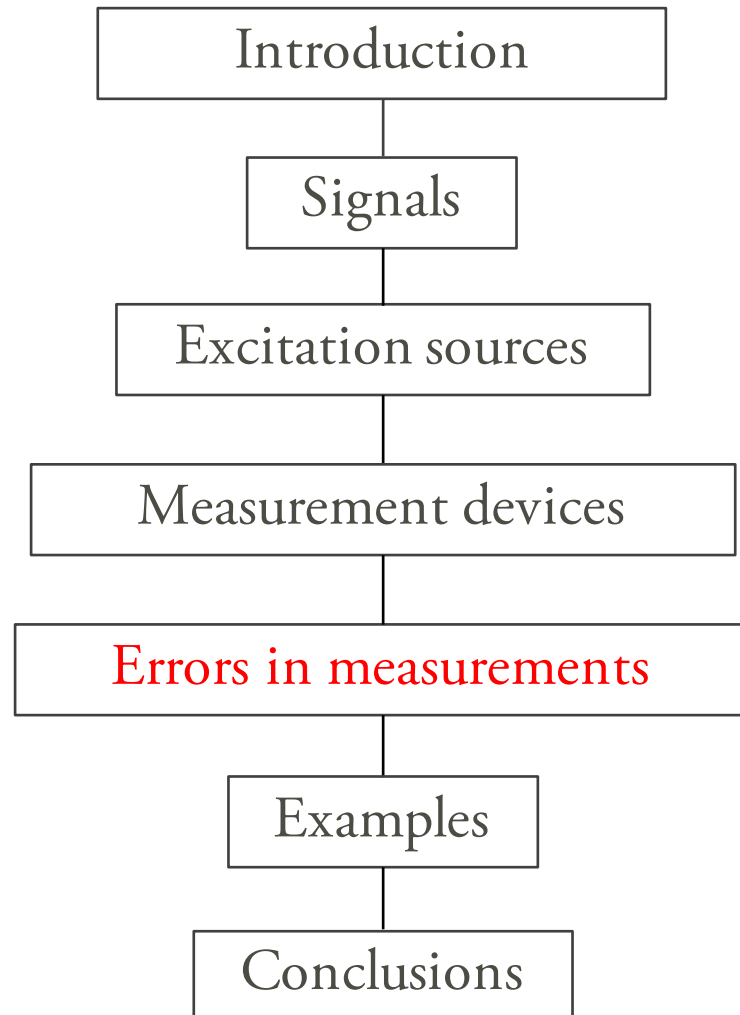
In-situ vibratory measurements (Example)



Note / Reminder

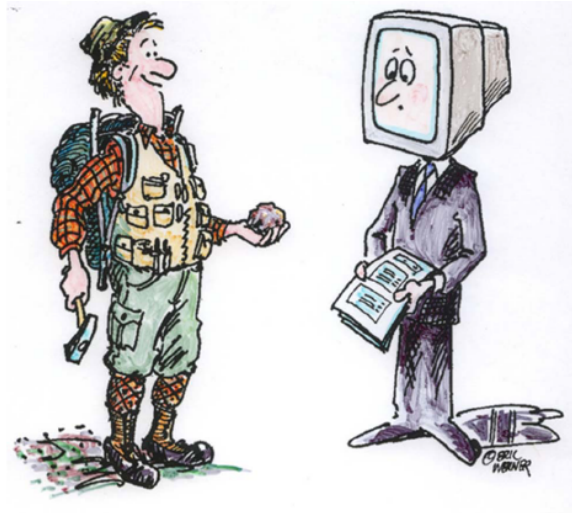


Outline



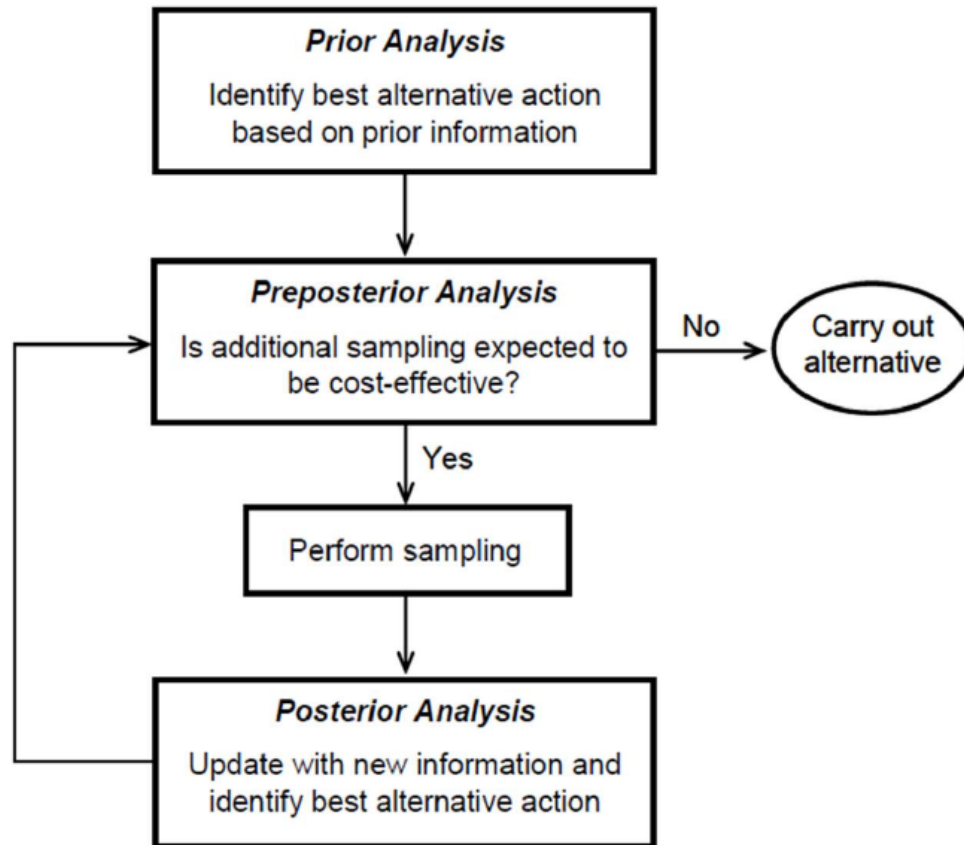
Errors – Introduction

- Ideal measurements: no errors
- Real ones always do
- Clear defined processes to identify every source of error
- Measurement system errors can only be defined in relation to the solution of a real specific measurement task



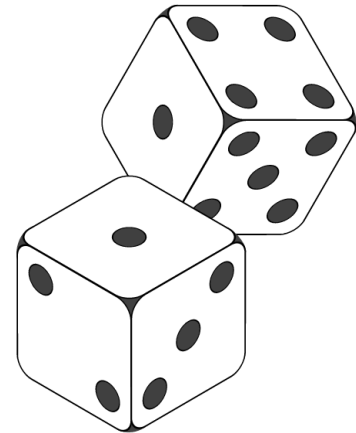
VOI analysis

- Value of Information analysis (VOI)
 - How much do I want to “pay” for my information / output?



Errors in measurements

- Before the measurement:
 - Uncertainty
 - Reliability / Confidence
 - Risk
 - Probability
- After the measurement:
 - Error: $\Delta x = x_{\text{real}} - x_{\text{measured}}$

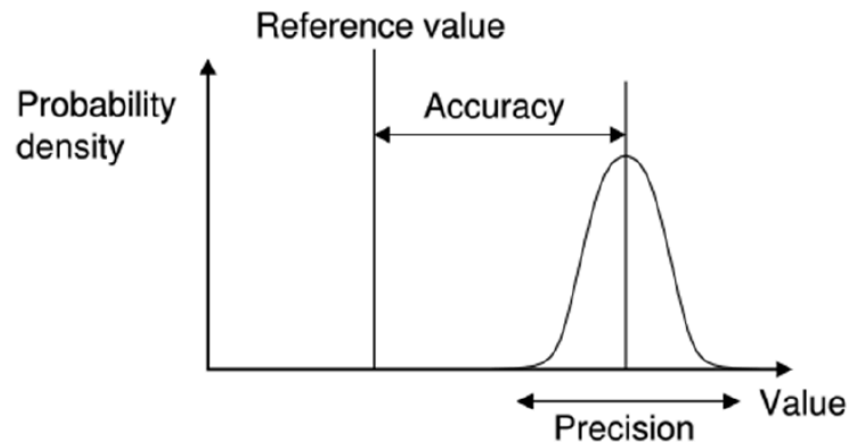


NOTE: the concept of error presumes a knowledge of the correct value and it's therefore an abstraction



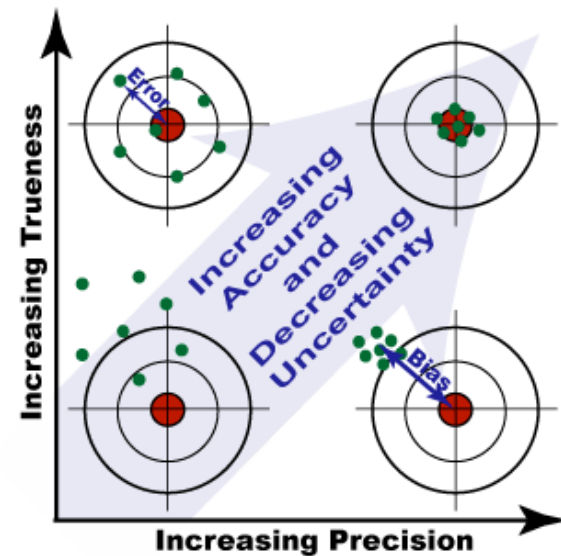
Quality of measurements

- Lack of systematic deviation from a true value: accuracy
- Bias: average deviation from a true value
- Lack of scatter: precision
 - Repeatability (variability when measuring by 1 person)
 - Reproducibility (variability caused by changing operator)



Types of errors (I)

- Systematic error (bias)
 - Permanent deflection in same direction from true value
 - It can be corrected
 - Types:
 - » Lack of gauge resolution
 - » Lack of linearity
 - » Drift (time, temperature...)
 - » Hysteresis



Types of errors (II)

- Gross errors

- Human mistakes

$$X_{true} = X_{measured} + e_{syst} + e_{random}$$

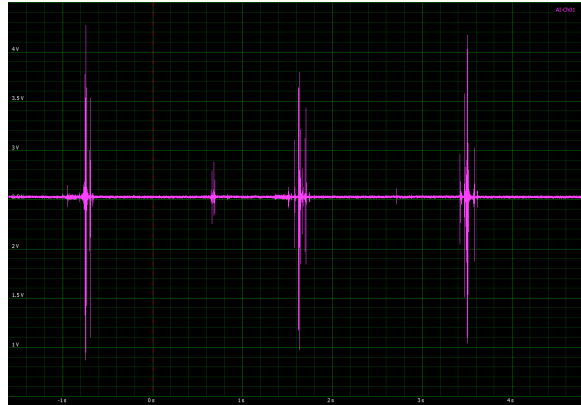
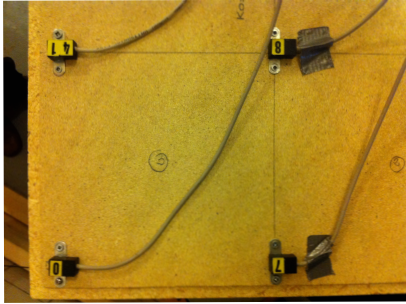
- Random error

- Remains after correct gross and systematic errors
 - » It cannot be corrected
- Short-term scattering of values around a mean value
- Varies in an unpredictable way
- Expressed by statistical methods
- Reasons
 - » Lack of equipment sensitivity
 - » Noise
 - » Imprecise definition

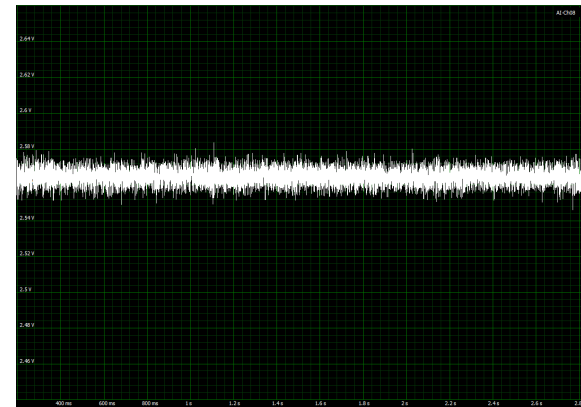


Examples of errors

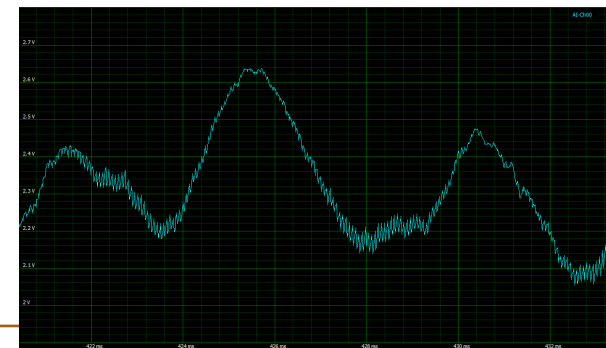
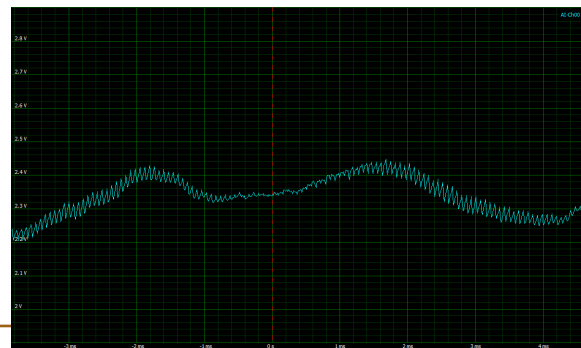
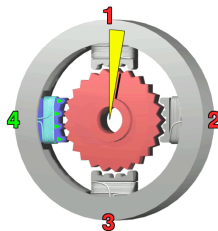
- Wire error



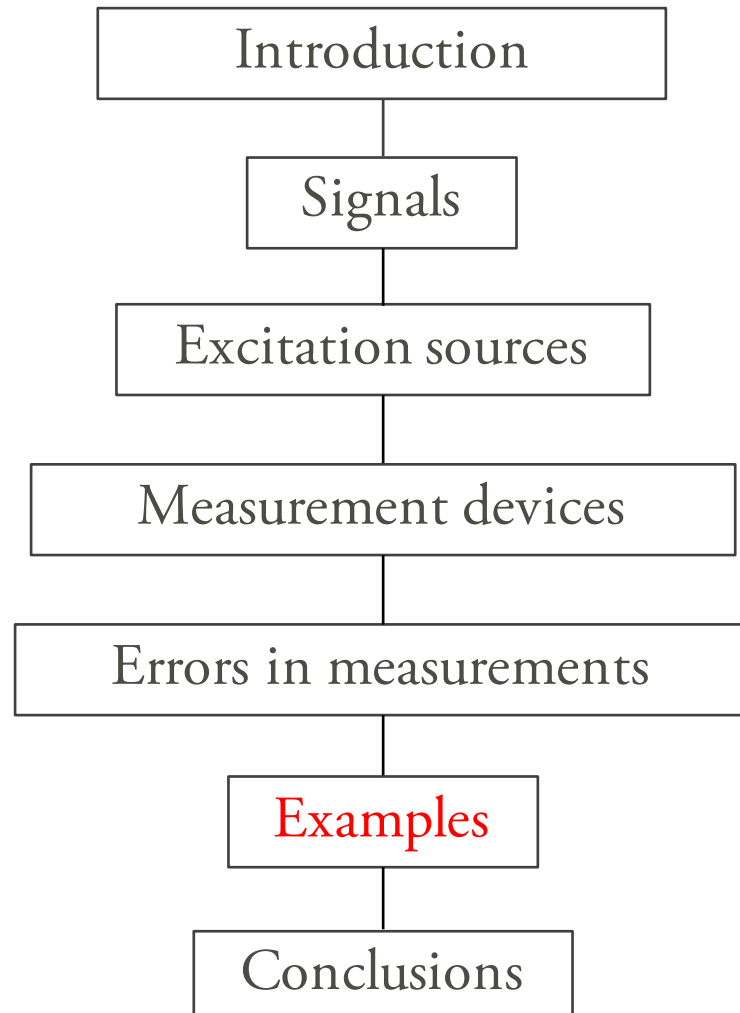
- Music and external impact



- Step motor (2/4.5 Hz), harmonic signal?

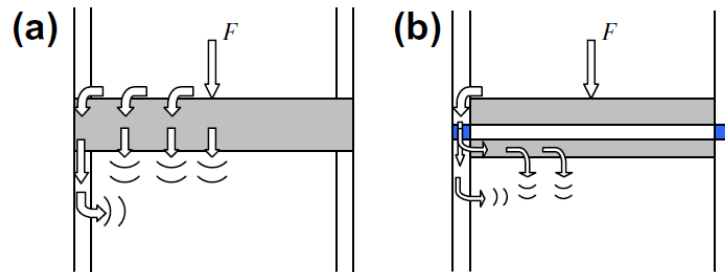
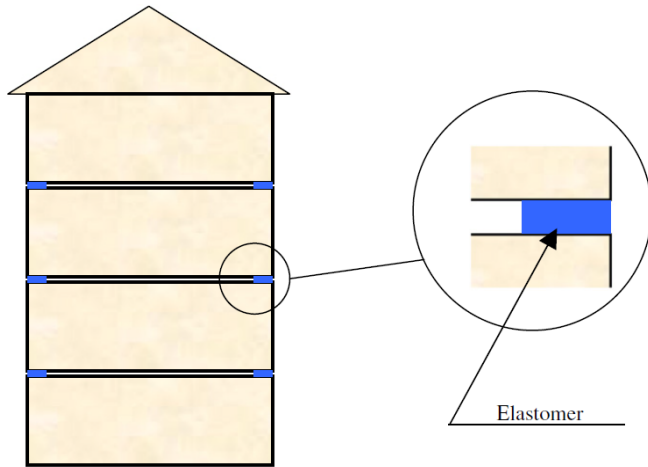


Outline



Prefabricated wooden buildings

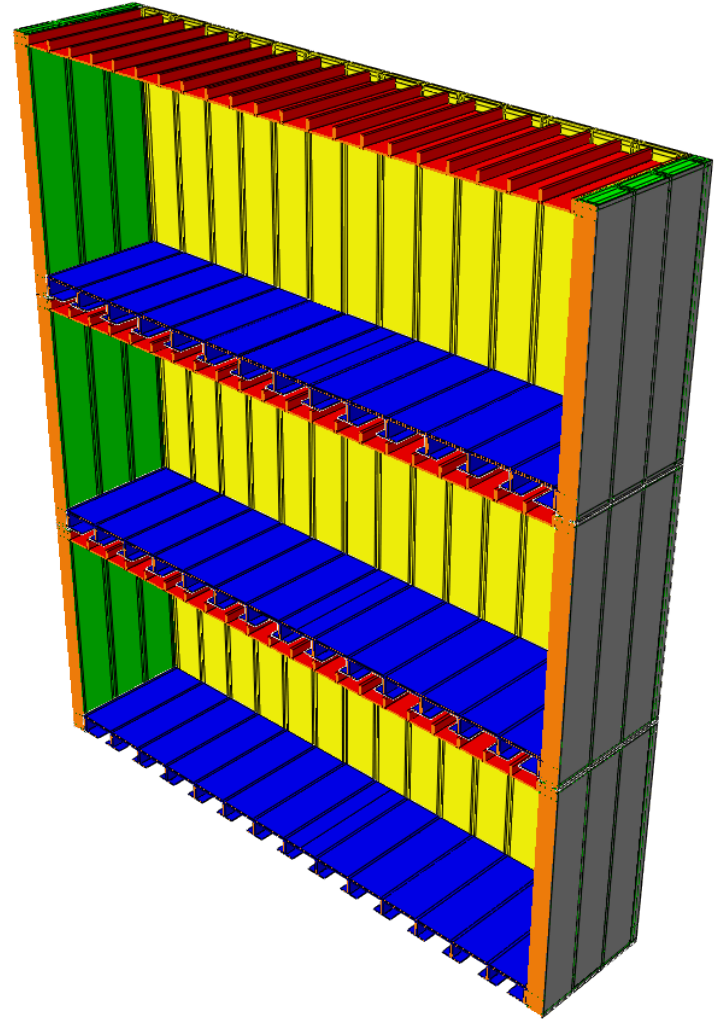
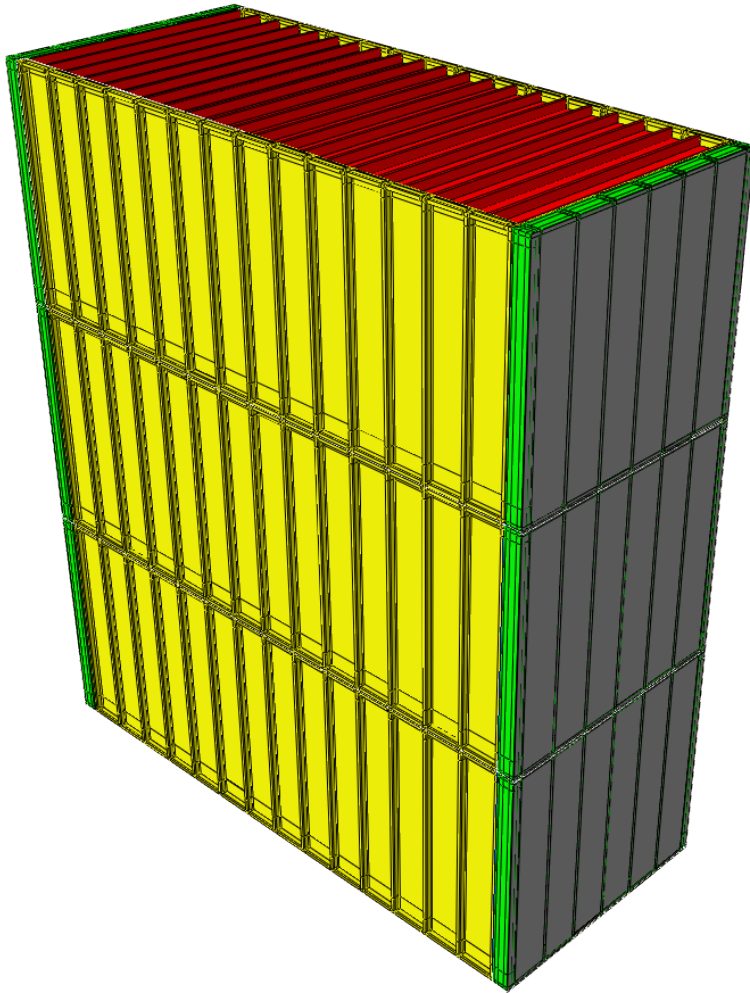
- Timber volume element (TVE)-based building



- Method (to develop numerical prediction tools):
 - Calibration FE model with in-situ measurements
 - Modify features in the model

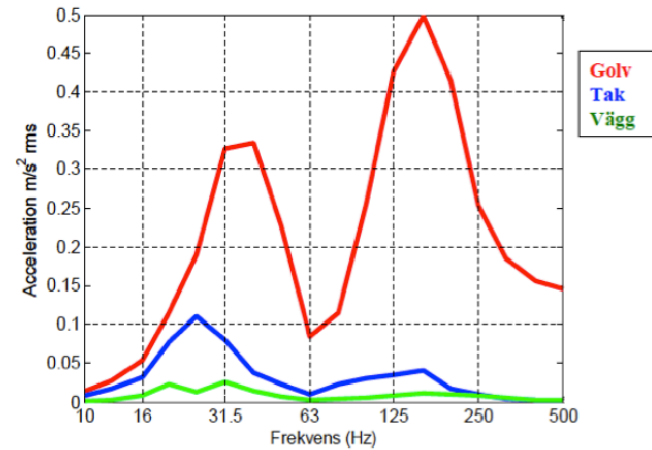
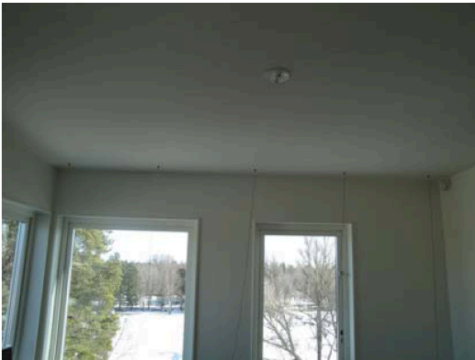


Finite Element model for TVE-based building

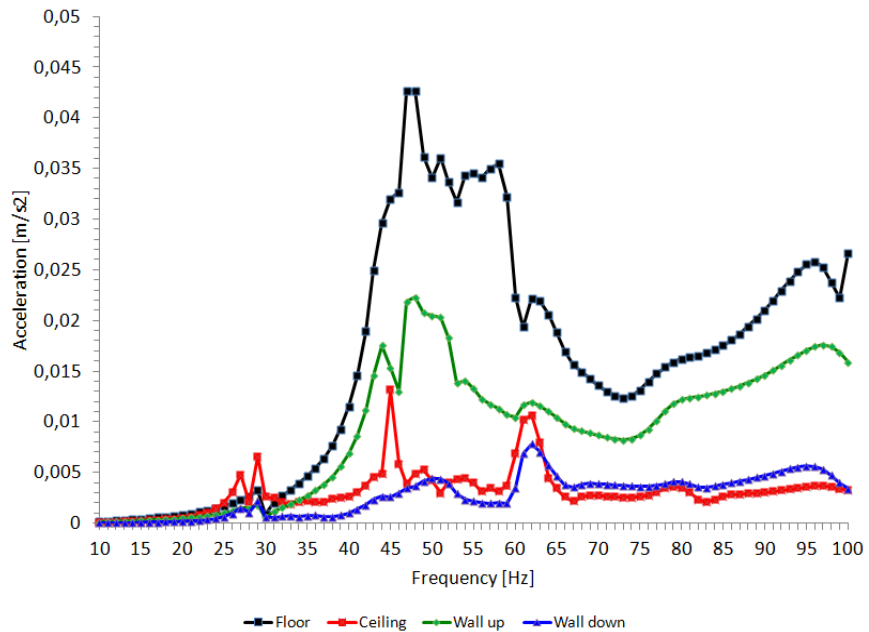
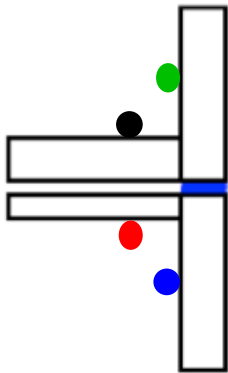


Calibration (preliminary results)

- Measurements

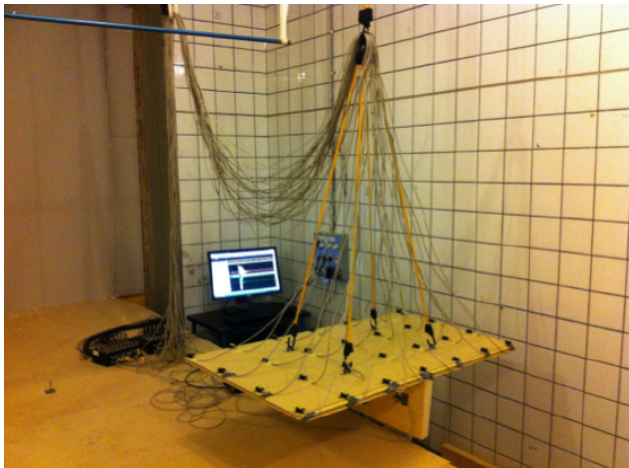
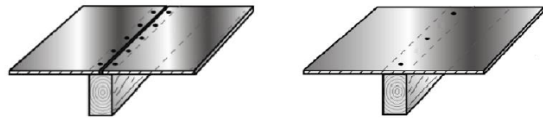
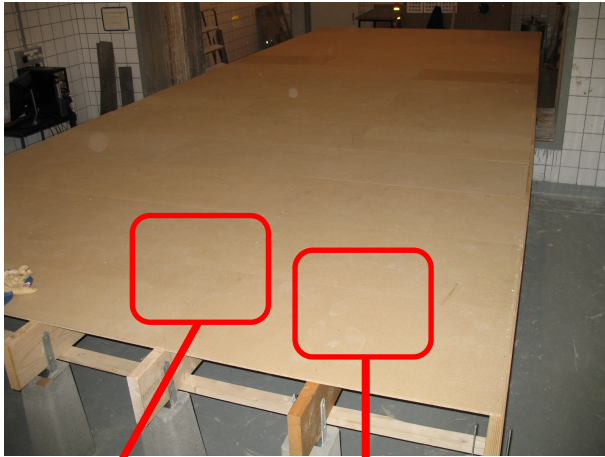


- Simulations

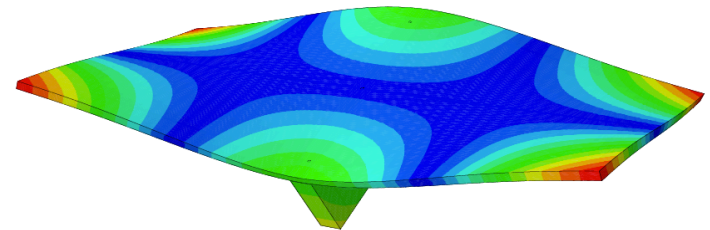
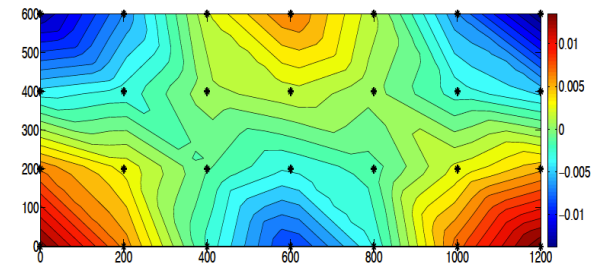


T-junctions

- Influence of the use of glue in lightweight timber junctions
 - Investigate how to model connections



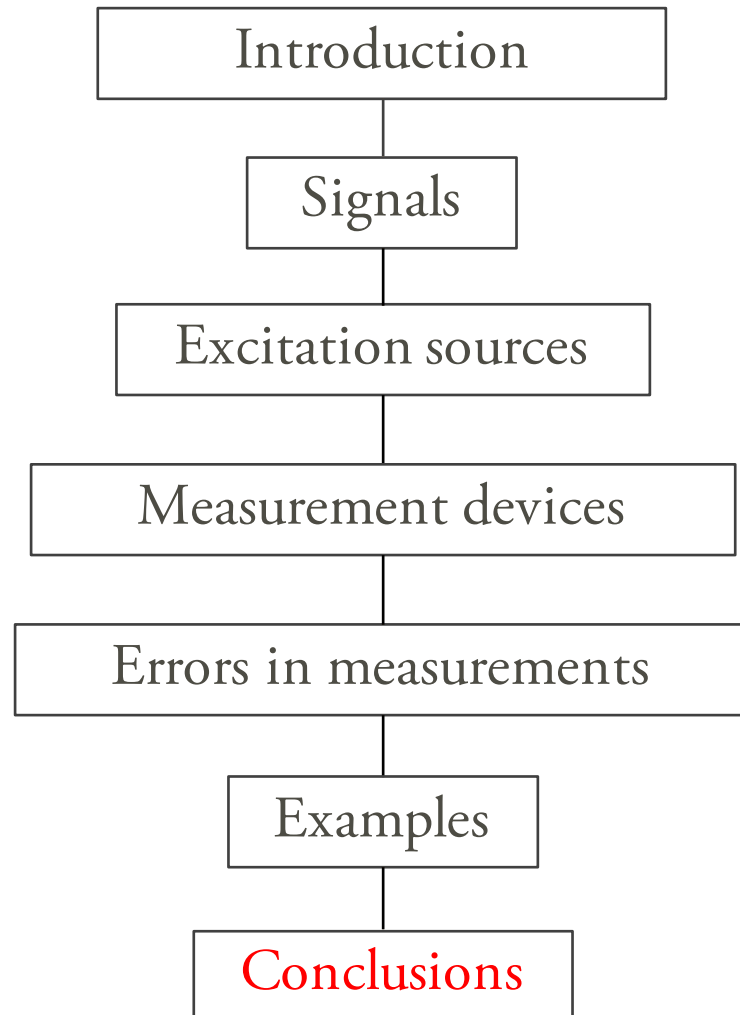
Many transducers and
excitation positions!
Document everything



Calibration of the FE models with measurements in
terms of modal analyses to understand their
behaviour



Outline



Conclusions

- To measure: acquire knowledge of a new product
 - Analyses prior to measurements
 - Measurement plan based on analyses and purpose
- Signals: frequency and time domain
 - Nyquist-Shannon criterion
 - Resonance
- Excitation sources
- Measurement devices
- Errors
 - Measurements: accompanied by a quality statement
- Document the process (pictures, notes...)



Thank you for your attention!

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