



Solutions – Ljud i byggnad och samhälle, VTAF01, 2016-08-18

Uppgift 1

$$1. a) L_{\text{eq},24} = 10 \log \left(\frac{1}{T} \int_0^T 10^{L_p(t)/10} dt \right) =$$

$$= 10 \log \left(\frac{1}{24} (6 \cdot 10^{4.5} + 3 \cdot 10^7 + 6 \cdot 10^5 + 4 \cdot 10^{6.8} + 5 \cdot 10^5) \right) = \underline{63,7 \text{ dBA}}$$

$$b) \text{ Frifältsvärde} = 63,7 - 6 = 57,7 \text{ dBA} > 55 \text{ dBA} \quad \underline{\text{ja!}}$$

$$c) L_{A-3} = 10 \log (10^{\frac{57,7}{10}} \cdot 3) = \underline{62,5 \text{ dBA}}$$

d) Att sänka hastighetsbegränsningen minskar bullernivåerna

e) Leder till t.ex. minskad levnadsstandard (sömnsvårigheter, koncentrationsstörning...)

Uppgift 2

- Apply simply Sabine's law
- Sabine's law again putting in the lamp.

Uppgift 3

$$3. a) R = -10 \log \left(\frac{1}{15} (13,5 \cdot 10^{-6} + 1,5 \cdot 10^{-3} + 400 \cdot 10^{-6}) \right) = \underline{38,9 \text{ dB}}$$

$$b) \text{ Vagg: } \tau = \frac{13,5}{15} \cdot 10^{-6} = 9 \cdot 10^{-7} \text{ av totalt infallande effekt}$$

$$\text{Fönster: } \tau = \frac{1,5}{15} \cdot 10^{-3} = 1 \cdot 10^{-4} \quad \text{--- " ---}$$

$$\text{Ventil: } \tau = \frac{400 \cdot 10^{-6}}{15} = 2,7 \cdot 10^{-5} \quad \text{--- " ---}$$

Fönster – ventilationsdon – vägg
(mest) (minst)



Uppgift 4

4a)

② The maximum sound absorption and energy ~~loss~~ is achieved at the points where the air moves the most, that is, where the particle velocity is maximum. Suppose we insert a thin absorber off of the wall (0.25 m out from the wall), for which frequencies can we expect high sound absorption if we assume normal incidence to the wall?

$$v(x, t) = v_+(t - \frac{x}{c}) + v_-(t - \frac{x}{c}) = v_+(t - \frac{x}{c}) - v_+(t - \frac{x}{c}) = \hat{v}_+ e^{i(\omega t - kx)} - \hat{v}_+ e^{i(\omega t + kx)}$$

At the wall: $v(x, t) = 0 = v_+(t - \frac{x}{c}) + v_-(t - \frac{x}{c}) \Rightarrow v_+ = -v_-$ (Complex notation)

Enter formula: $\sin(y) = \frac{e^{iy} - e^{-iy}}{2i}$

$$v(x, t) = \hat{v}_+ (e^{i(\omega t - kx)} - e^{i(\omega t + kx)}) = -2i\hat{v}_+ \sin(kx) e^{i\omega t} = 2\hat{v}_+ \sin(kx) e^{i(\omega t - \frac{\pi}{2})}$$

The velocity is maximum if: $|\sin(kx)| = 1 \Leftrightarrow kx = \frac{\pi}{2} + n\pi$ (travelling left (x < 0))

[Eq. 13] $k = \frac{2\pi}{\lambda} = \frac{2\pi}{\lambda} \Rightarrow x = -\frac{\lambda}{4} - \frac{n\lambda}{2} \Rightarrow \lambda = \frac{x}{\frac{1}{4} + \frac{n}{2}}$

Thus: $x = 0.25 \rightarrow f = \frac{c}{\lambda} = \frac{c}{x} \left(\frac{1}{4} + \frac{n}{2} \right) \Rightarrow f = 340 + 680n \text{ Hz}$

4b)

- ③ A tiled bathroom has a floor area of $1.65 \times 2.8 \text{ m}^2$. Calculate the five lowest eigenfrequencies of the room and its respective eigenmode. Assume that the roof is absorbent and consider only the horizontal oscillations.

from Eq. 34:
$$f_{n_x, n_y, n_z} = \frac{c}{2} \sqrt{\left(\frac{n_x}{L}\right)^2 + \left(\frac{n_y}{B}\right)^2 + \left(\frac{n_z}{H}\right)^2}$$

Calculating the first five frequencies:

$$f_{10} = \frac{340}{2} \sqrt{\left(\frac{1}{1.65}\right)^2 + \left(\frac{0}{2.8}\right)^2} \Rightarrow f_{10} = 103.3 \text{ Hz}$$

$$f_{01} = \frac{340}{2} \sqrt{\left(\frac{0}{1.65}\right)^2 + \left(\frac{1}{2.8}\right)^2} \Rightarrow f_{01} = 60.7 \text{ Hz}$$

$$f_{11} = \frac{340}{2} \sqrt{\left(\frac{1}{1.65}\right)^2 + \left(\frac{1}{2.8}\right)^2} \Rightarrow f_{11} = 119.6 \text{ Hz}$$

$$f_{20} = \frac{340}{2} \sqrt{\left(\frac{2}{1.65}\right)^2 + \left(\frac{0}{2.8}\right)^2} \Rightarrow f_{20} = 206.6 \text{ Hz}$$

$$f_{21} = \frac{340}{2} \sqrt{\left(\frac{2}{1.65}\right)^2 + \left(\frac{1}{2.8}\right)^2} \Rightarrow f_{21} = 214.82 \text{ Hz}$$

[NOTE: It would have been better to have taken instead $B = 1.65$ & $L = 2.8$ m, so that the frequencies would come in order, but it doesn't say anything in the task



Uppgift 5

5. a) Ljudet böjs runt talarens huvud - diffraction. Låga frekvenser hörs bäst då diffractionen ökar med ökande våglängd (relativt hindrets storlek).
- b) Resonans uppstår för vissa frekvenser mellan två motstående ytor. Med avståndet mellan ytorna kan resonansfrekvenserna räknas ut.
- c) Tonerna är korrelerade och beroende på var man placerar huvudet blir det konstruktiv, resp destruktiv interferens, högre respektive lägre ljudnivå.
- d) Lägg upp fritt, väg och mät samt knacka och registrera frekvensen. Då kan E-modul beräknas.

Uppgift 6

- a) Apply the mass-law and substitute some values (they have to get the coincidence frequency to get the upper limit to which the mass law applies).
- b) $R = L_{\text{sending}} - L_{\text{receiving}} + 10 \log(A/10)$ and explain the terms.